

Two Way Counting Position Sort

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ABSTRACT

Sorting is an algorithm that arranges all elements of an array, orderly. Sorting Technique is frequently used in a large variety of important applications to arrange the data in ascending or descending order. Several Sorting Algorithms of different time and space complexity are exist and used. This paper provides a novel sorting algorithm Two Way Counting Position sort, which is a modified version of Counting Position Sort Algorithm and is based on counting the position of each element in array from both the ends. We have also compared the Two Way Counting Position sort algorithm with Counting Position Sort, Bubble Sort and Selection Sort. We have used the MATLAB 8.0 for implementation and Analysis of CPU time taken by all the four Sorting Algorithms. We have checked the algorithms with random input sequence of length 10, 100, 1000, 5000, 10000, 50000. Result shows that for the small length of input sequence the performance all the three techniques is all most same, but for the large input sequence Selection sort is faster than all the three sorting techniques. Results show that Two Way Counting Position Sort is better than Counting Position Sort for all lengths of inputs.

Keywords

Bubble Sort; Position Sort; Selection Sort; Two Way Counting Position Sort.

1. INTRODUCTION

Sorting algorithms can be categories in two ways: Internal Sort and External Sort. In Internal sort the data can fit entirely into the main memory and in External Sort the data cannot fit in main memory all at once but reside in secondary storage (e.g. disk). Sorting is a technique for arrangement of objects according to some ordering criteria. Assume we have a collection of information concerning some set of objects. Assume this collection of information is organized in records. Within a record, information is structured into a number of units called fields. The data structure of a record depends on the application. There are many sorting algorithms. No single sorting technique is “best” for all applications. The sorting problems are to find a permutation such that if the ordering relations is “>” then $Key(i-1) < Key(i)$. A sorting technique is called stable if $Key(i) = Key(j)$, element ‘i’ precedes element ‘j’ then in the sorted list element ‘i’ also precedes element ‘j’.

Rest of the paper is organized as follows: section 2 describes the Related work in this we have discussed many sorting algorithms. Section 3 describes our new sorting algorithm. Performance analysis and comparison is described in section 4. Followed by conclusion and future scope in section 5 and used references are described in section 6.

2. RELATED WORK

2.1.Bubble Sort

The bubble sort is an exchange sort. It involves the repeated comparison and, if necessary, the exchange of adjacent elements. The elements are like bubbles in a tank of water-each seeks its own level [1, 3, 4]. For example, if the Bubble Sort were used on the array, 9, 1, 10, 7, 3, 11, 2, 4, each pass would be like as shown in Table 1.

Table1. Bubble Sort for the input values 9, 1, 10, 7, 3, 11, 2, 4

Initial	9	1	10	7	3	11	2	4
Pass1	1	9	7	3	10	2	4	11
Pass2	1	7	3	9	2	4	10	11
Pass3	1	3	7	2	4	9	10	11
Pass4	1	3	2	4	7	9	10	11
Pass5	1	2	3	4	7	9	10	11

With the Bubble Sort, the number of comparisons is always the same because the two for loops repeat the specified number of times whether the list is initially ordered or not. This means that the bubble sort always performs $\frac{1}{2}(n^2 - n)$ Comparisons, where n is the number of elements to be sorted [4, 5].

2.2.Selection Sort

Input: a list of records: $R_0, R_1, R_2, \dots, R_{N-1}$.

Output: an order list of records:

$R_{k0}, R_{k1}, R_{k2}, \dots, R_{kn-1}$, Where $K_0 < K_1 < K_2 < \dots < K_{N-1}$.

Algorithm:

Step 1: $i=0$;

Step 2: find the largest item R from list

R_0, \dots, R_{N-1-i}

$0 \leq j \leq N-1-i$

Step 3: swap R_j and R_{N-1-i} to produce a sequence of ordered records $R_{N-1-i}, R_{N-i}, \dots, R_{N-1}$.

Step 4: increment ‘i’, repeat step 2 until $i=N-1$.

In each round, select the largest one and place it to the end.

For example, if the selection method were used on the array, 9, 1, 10, 7, 3, 11, 2, 4, each pass would be like as shown in Table 2.

Table2. Selection Sort for the input values 9, 1, 10, 7, 3,11,2, 4

Initial	9	1	10	7	3	11	2	4
Pass1	1	9	10	7	3	11	2	4
Pass2	1	2	10	9	7	11	3	4
Pass3	1	2	3	10	9	8	7	4
Pass4	1	2	3	4	10	9	8	7
Pass5	1	2	3	4	7	10	9	8
Pass6	1	2	3	4	7	8	10	9
Pass7	1	2	3	4	7	8	9	10

The selection sort requires $\frac{1}{2}(n^2 - n)$ Comparisons, where n is the number of elements to be sorted [4, 5].

2.3.Counting Position Sort

Counting Position sort is a new sorting algorithm. It is based on counting the smaller elements in the array and fixes the position of the element. Counting Position sort uses the following algorithm:

Algorithm: Counting_Position_SORT(array, n-1)

```
/* array is set of total n input elements */
for(i=1; i<=n; )
{
    int count = 0; j = i+1;
    while(j<=n)
    {
        if(array[i]>array[j]) then
            count++;
            j++;
    }/* end while*/
    if(count>0) then
        swap(array[i] and array[ i + count]);
        else
            i++;
    } /*end for loop*/
```

For example, if the Counting Position method were used on the array, 9, 12, 10, 7, 3, 11, 2, 4, each pass would be like as shown in Table 3.

Table 3. Counting Position Sort for the input values 9, 1, 10, 7, 3, 11, 2, 4

Initial	9	1	10	7	3	11	2	4
Pass1	11	1	10	7	3	9	2	4
Pass2	4	1	10	7	3	9	2	11
Pass3	7	1	10	4	3	9	2	11
Pass4	3	1	10	4	7	9	2	11
Pass5	10	1	3	4	7	9	2	11
Pass6	2	1	3	4	7	9	10	11
Pass7	1	2	3	4	7	9	10	11

3. OUR MODIFIED TWO WAY COUNTING POSITION SORT ALGORITHM

Two ways counting Position Sort Algorithm is based on counting the smaller elements from both the side i.e. forward and backward and fixing the position of the elements.

```
Size of input array=MAX
Lower_Index=1;
Upper_Index=MAX;
count1=0;
count2=0;
while (Lower_Index<Upper_Index
z = 0;
    for j=Lower_Index+1:Upper_Index
        if (array(Lower_Index)>array(j))
            count1=count1+1;
        end // end if
    end // end for loop
    if (count1>0)
        t=array(Lower_Index);
        array(Lower_Index)=array(count1+Lower_Index);
        array(count1+Lower_Index)=t;
        count1=0;
        z = 1;
    else
        Lower_Index=Lower_Index+1;
    end // end if else
    j=Upper_Index-1;
    while (j>=Lower_Index)
        if (array(Upper_Index)<array(j))
            count2=count2+1;
        end // end if
        j=j-1;
    end // end while loop
    if (count2>0)
        t=array(Upper_Index);
        array(Upper_Index)=array(Upper_Index-count2);
        array(Upper_Index-count2)=t;
        count2=0;
        z = 1;
    else
        Upper_Index=Upper_Index-1;
    end // end if else
    if (z==0)
        break;
    end
end // end outer while loop
```

Table 4: Two Way Counting Position Sort for the input values 9, 1, 10, 7, 3, 11, 2, 4

Initial	9	1	10	7	3	11	2	4
Pass1	11	1	10	4	3	9	2	7
Pass2	7	1	10	4	3	9	2	11
Pass3	3	2	10	4	7	9	1	11
Pass4	1	2	3	4	7	9	10	11

4. PERFORMANCE ANALYSIS

Bubble Sort, Selection Sort, CountingPosition Sort and our TwoWayCountingPosition Sort were implemented in MATLAB 8.0 and tested for the random sequence input of length 10, 100, 1000, 10000, 50000. All the three sorting algorithms were executed on machine with 32-bit Operating System having Intel(R) Pentium (R) CPU P6200 @ 2.13 GHz, 2.13 GHz and installed memory (RAM) 3.00 GB. The time taken by the CPU at execution for different

inputs is shown in the table 5. The Plot of length of input and CPU time taken (msec) is shown in figure 1. Result shows that for the small length of input sequence the performance all the four techniques is all most same, but for the large input sequence Selection sort is faster than Bubble sort, CountingPosition sort and TwoWayCountingPosition Sort.

Table 5: CPU time(msec) for different lengths of input sequences.

Sorting Technique/# of Nodes	10	100	1,000	5,000	10,000	50,000
TwoWayCountingPositionSort	0	0	0.0468	1.1232	4.5396	102.8543
CountingPositionSort	0	0	0.0624	1.4196	5.1480	110.3211
BubbleSort	0	0	0.0390	1.0980	4.2563	95.1534
SelectionSort	0	0	0.0156	0.7644	3.1044	77.3141

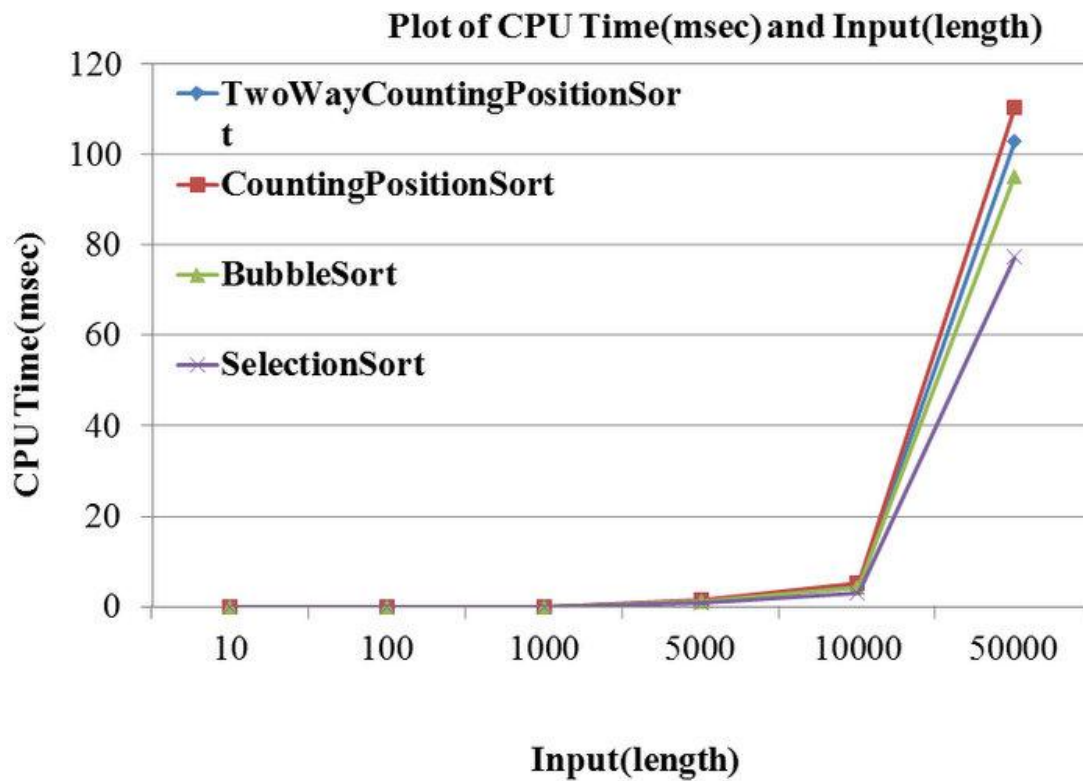


Figure 1. Plot of CPU Time (msec) and Input (length) for different sorting technique

5. CONCLUSION AND FUTURE SCOPE

From the results it can be concluded that TwoWayCountingPosition Sorting algorithm is working well for all length of input values. It takes lesser CPU time than Counting position sort and larger CPU time than Bubble sort and Selection sort. In the future work more effective sorting algorithm can be proposed.

6. REFERENCES

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