

Using Artificial Neural Networks for Recognition of Control Chart Pattern

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ABSTRACT

Control charting is an important tool in SPC to improve the quality of products.

Unnatural patterns in control charts assume that an assignable cause affecting the process is present and some actions must be applied to overcome the problem. By its automatic and fast recognition ability the neural network provide best performance to immediately recognize process trends. In this paper, a neural network model is used to control chart pattern recognition (CCPR).

Several forms of architectures have been tested and the results point out a network configuration which leads to excellent quality of recognition.

General Terms

- SPC = Statistical Process Control;
- CCPR = Control charts pattern recognition;
- CCP = Control charts pattern;
- CC = Control charts;
- NOR = Normal;
- IT = Increasing trend;
- US = Upward shift;
- ANN(s) = Artificial Neural Network(s);
- MLP = Multilayer Perceptron;
- LM = Levenberg -Marquardt back propagation algorithm;
- GDA = Gradient descent with adaptive learning rate back propagation;
- SSE = Error Sum of Squares;
- MSE = Mean Square Error;

Keywords

Artificial Neural Networks (ANN), Statistical Process Control (SPC), Control Charts (CC), Control Charts Pattern (CCP).

1. INTRODUCTION

Statistical Process Control (SPC) has been widely used for monitoring the production process. Control chart pattern

recognition is the most commonly SPC tools used for problem identification in processes due to special causes. Indeed, traditional Control charts use only the control limits to detect changes in the process according to the latest data sets. But the nature of the evolution of these data is not taking into account.

Otherwise the improvement of the detection quality by implementing control rules is limited by false alarms that arise by the simultaneous application of these rules.

There are three main types of patterns that commonly appear in CCPs: normal (NOR), increasing trend (IT), and upward shift (US), as is shown in Figure 1.

The NOR pattern indicates that the process is operating under control. All other types of patterns are unnatural and assume that an assignable cause affecting the process is present.

For the high speed production, the Advances in measurement technology provide a wide possibility to record and plot real-time data. In the last decade, neural network has emerged as a practical approach for automatically recognizing control chart patterns (CCPs). In this field, a large amount of research [1]-[2]-[3]-[4] has been carried out using of feedforward network architectures, among which multilayered perceptrons (MLPs) are the most commonly adopted.

This paper presents a contribution in CCPs by using an MLP in order to improve the ability of pattern detection. The MLP is trained for different structures, and several learning rules used to adjust the ANN weights have been evaluated. The best configuration and the most accurate algorithm are retained.

The rest of the paper is organized as follow: The second section will review the literature in CCP and the use of Artificial Neural Networks in this area. The third section will present the neural network design for pattern recognition. In the fourth section, the results obtained will be discussed. The last section will review the main results of the paper.

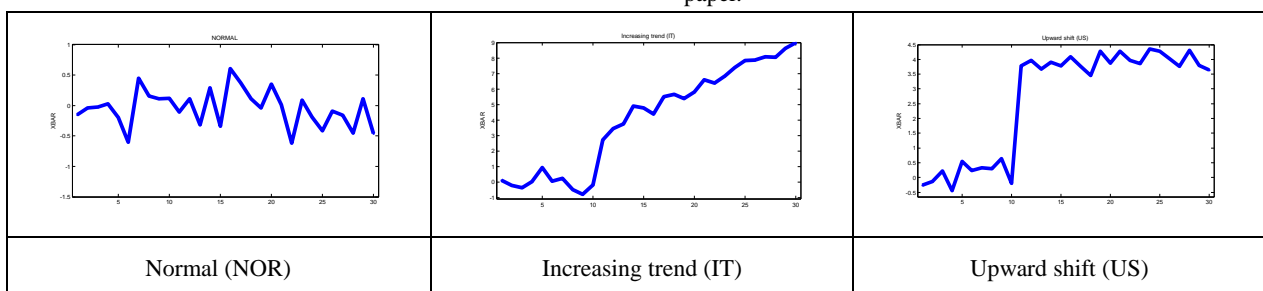


Fig 1. Three types of basic CCPs

2. NEURAL NETWORKS FOR CONTROL CHARTS PATTERN RECOGNITION

Anagun [5] used a backpropagation network (BPN) to recognize patterns in SPC. The training data were organized in two different ways: direct representation and histogram representation. The results show that the later method provided higher performance than the direct representation.

Moreover, Guh and Tannock [6] dealing with single patterns such as sudden shifts, linear trends or cyclic patterns, investigated the use of an (BPN) to recognize concurrent CCPs where several pattern exist together.

N.V.N. Kiran et al. [7] evaluated the relative performance of the five training algorithms. The structures for CCP recognizer tested in this study comprise an input layer, one hidden layer and an output layer. The best result is trained with a traindx algorithm.

Feedforward neural networks are organized in layers and this architecture is often known as MLP (multilayer perceptron) [8]. An example of feedforward neural network consisting of an input layer, a hidden layer, and an output layer is shown in figure 2.

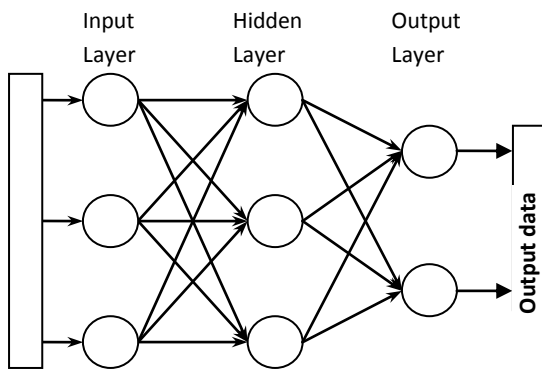


Fig 2. Basic structure of multilayer perceptron

Each node in a neural network is a processing unit which contains a weight (w_{ij}) and summing function followed by a transfer function (f). Fig3.

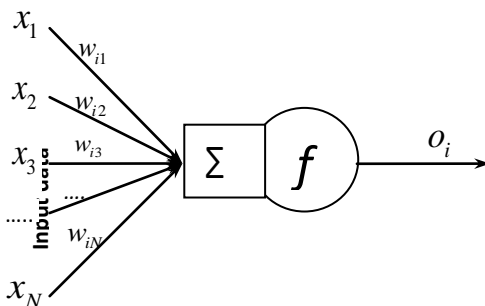


Fig 3. Single neuron with N inputs

The summer output, referred to as the total synaptic input of the neuron, is given by the inner product of the input and weight vectors : $\sum w_{ij}x_j$

The output value of the neuron is given by:

$$o_i = f(\sum w_{ij}x_j) \quad (1)$$

Where:

- $f(.)$ is the transfer function,
- w_{ij} is the connection weight between node j and node i ,
- x_j the input signal from the node j .
- o_i is the output of the neuron i ,

The general process responsible for training the network is mainly composed of three steps: feed forward the input signal, back propagate the error and adjust the weights.

The back-propagation algorithm tray to improve the performance of the neural network by reducing the total error which can be calculated by:

$$SE = \frac{1}{2} \sum_p \sum_j [o_{jp} - d_{jp}]^2 \quad (2)$$

Where:

- SE is the square error,
- p is the number of applied patterns,
- d_{jp} is the desired output for j^{th} neuron when p^{th} pattern is applied and
- o_{jp} is the j^{th} neuron output.

3. NEURAL NETWORK DESIGN FOR PATTERN RECOGNITION

3.1 Sample patterns

Sample patterns to be classified are usually groups of measurements or observations coming from a real manufacturing process. Since real process containing all type of patterns is not available, simulated data are often used [7]-[8].The following equations, shown in Table (1), were used to generate the data points for the various patterns.

Table 1. Equations for generating various patterns

Patterns	Equations
Normal	$\mu + \sigma * \text{randn}([p, n])$ (3)
Trend increasing	$\mu + \sigma * \text{randn}([p, n]) + l * g$ (4)
Shift up	$\mu + \sigma * \text{randn}([p, n]) + K * s$ (5)

where :

- μ :is the nominal mean value of the process variable;
- σ :is the standard deviation of the process variable;
- g :is the gradient of an increasing trend pattern or a decreasing trend pattern;
- $\text{randn}(p,n)$ is a Matlab Function that generates an p -by- n matrix of random normally distributed with mean $\mu = 0$, variance $\sigma^2 = 1$, and standard deviation $\sigma = 1$ (n is the size of the observation window and p is the number of observations);
- s :indicates the shift position in an upward shift pattern and a downward shift pattern($s = 0$ before the shift and

s = 1 at the shift and thereafter)

- a : is the amplitude of cyclic variations in a cyclic pattern;
- T :is the period of a cycle in a cyclic pattern .

In trend and shift patterns data generation the first p/3 samples have a normal distribution (K_{ij} and I_{ij} are set to 0),then after $K_{ij}=1$ and $I_{ij}=1$:

$$[K]_{p \times n}: K_{ij} = 0 \text{ for } i \leq p/3, \text{ and } K_{ij} = 1 \text{ for } i > p/3$$

$$[I]_{p \times n}: I_{ij} = 0 \text{ for } i \leq p/3, \text{ and } I_{ij} = i \text{ for } i > p/3.$$

For each type of the six CCPs,(n*p) samples data were generated using the following values of parameters shown in table 2.

Table 2.Values of Parameters Adopted To Generate Patterns

Patterns	Parameter's values
Normal	$\mu = 0, \sigma = 1$
Increasing Trend	g =0.3
Shift Up	s =4

3.2 Neural Network Design

In this study the MLP used consist of an input layer, an output layer and two hidden layers as shown in figure 4. In input layer, the n first nodes correspond to the sample size used for process control. The remaining three nodes represent the statistics of the n observations which are their average \bar{X} , their range R and their standard deviation S (a total of n+3 inputs) [9].A single neuron was required for output layer with the normalized coding shown in table 3.

Table 3.Values of Output Targets Related To Each Pattern

Patterns	coded output = Target
Normal	0.5
Increasing Trend	0.1
Shift Up	0.9

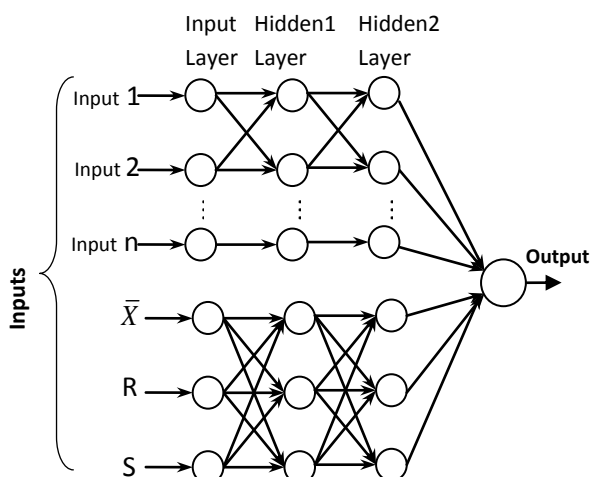


Fig 4.The structure of multilayer perceptron used for CCPs

The training input is an (n+3)-by-(6xp)matrix illustrated as follow (Fig. 5).

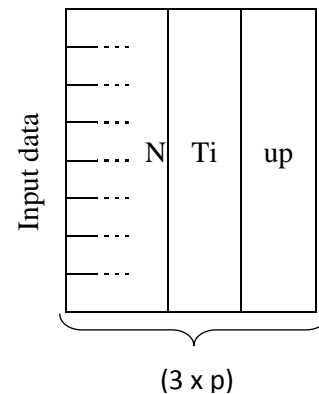


Fig 5. Training input data structure design

4. TESTS AND RESULTS

Neural Network Matlab's Toolbox provides a complete environment to design, train, visualize, and simulate neural networks. The number of neurons in the hidden layers, the activation function in each layer, and the training algorithm are a set of parameters needed to complete the definition of the MLP designed.The most common approach to select the optimal number of hidden nodes and other neural network parameters is via experiment or by trial-and-error [10].

This section presents results and comparisons of the performance between neural networks recognizers trained and tested using three algorithms for several sizes in hidden layers.

To determine the optimal MLP topology and training algorithm, the coefficient of correlation (R)between actual targets and predicted targets and the mean sum of squares of the network errors (MSE) is used [11].

$$MSE = SSE/(n - p) \quad (6)$$

Where:

- SSE is the summed square of residuals
- n is the number of observations
- pis the number of terms currently included in the model.

At the start, we can confirm that the choice of tansig as activation function for all layers and an MLP architecture with two hidden layers yields interesting results. To increase accuracy of the MLP, we tried three training algorithms implemented for several numbers of nodes in hidden layers. The training algorithms tested here are:

- The back propagation (GD) algorithm: It is a gradient steepest descent method, implemented with traingd function in toolbox of MATLAB.
- Gradient descent with adaptive learning rate back propagation (GDA) algorithm: traingda function in MATLAB toolbox.
- Levenberg-Marquardt back propagation(LM) algorithm: trainlm function in MATLAB toolbox.

Table 4 below present the comparison of MSE performance between actual targets and predicted targets. For each training algorithm, the value of MSE performance is calculated by changing the number of neuron in the hidden layers.

Table 4. Comparison Of The MSE Performance

NNHL	Traingd	traingda	trainlm
7x3	0.0405	0.0159	0.0256
8x3	0.0292	0.0236	1.68 e-11
9x3	0.0335	0.0215	4.91 e-7
10x3	0.0277	0.0230	0.0239
11x3	0.0357	0.00961	0.0246
12x3	0.0327	0.0251	1.46 e-5
13x3	0.0304	0.0211	0.025

Table 4 show the lowest MSE are obtained for simple size n=8 and for LM algorithm (trainlm function in MATLAB toolbox).

This sample size and LM algorithm are then selected for the execution of Neural Network.

In figure 6, the predicted target for NNt Recognizer selected is practically identical with the actual target.

The execution shows that an MLP with 13 neurons in the first hidden layer and 3 neurons in the second hidden layer trained with LM back propagation algorithm gives better performance in patterns recognition problems.

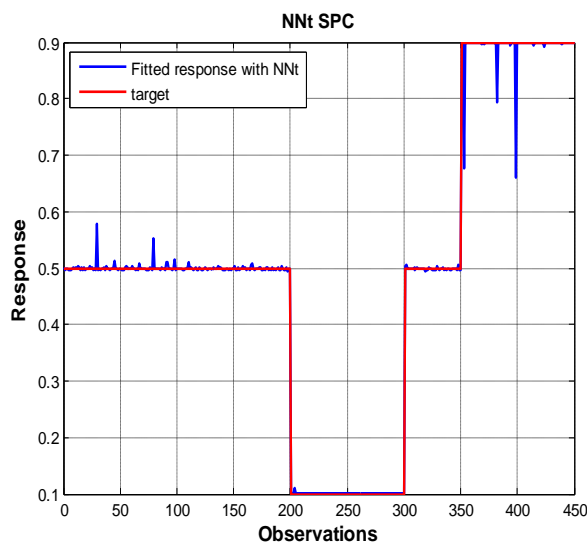


Fig 6. Comparison between actual targets and predicted targets for 13-13-3-1 NNt recognizer trained with LM algorithm

5. CONCLUSION

In this paper, the objective was to improve the quality of the NNt in CCP recognition. To evaluate its relative performance, the MLP was trained for different structures and training algorithms. The results show that an MLP with 13 neurons in the first hidden layer and 3 neurons in the second hidden layer trained with LM back propagation algorithm provided the best performance in patterns recognition problems.

The work will be extended to study other patterns namely: Decreasing trend (DT), Downward shift (DS) and cyclic (CYC) taking into account other criteria such as the correlation coefficient and the number of iterations.

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