

# Advanced Feedback Encryption Standard Version-1 (AFES-1)

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## ABSTRACT

In this paper, Advanced Feedback Encryption Standard Version 1 (AFES-1), Nath et al have combined both bit-level and byte level operations on the plain text. Nath et al had recently published Multi Way Feedback Encryption Standard Ver-3 MWFES-3[5]. MWFES-3 is a byte level encryption algorithm. The authors have capitalized on the strength of MWFES-3[5] by introducing a bit-shuffling operation at the beginning of each iteration. At the beginning of each iteration, the plain text bits of that iteration are shuffled by using 24 different shuffling functions. Now, the order in which the 24 different functions are called, changes at each iteration, and that order is taken as a function of the key. After the initial shuffling of the bits, the bits are converted back to bytes and MWFES-3 is applied on the bytes. This process goes on Encryption Number (EN) times, where EN is also taken as a function of the key. So, at the beginning of each iteration, the bits obtained from the last iteration are shuffled in a different way. This method has been tested on standard plain texts such as ASCII '0', ASCII '1' and the results are quite satisfactory. This method is immune to any classical form of attacks.

## General Terms

Encryption, Decryption.

## Keywords

MWFES-1, MWFES-2, MWFES-3, Encryption Number.

## 1. INTRODUCTION

Due to the tremendous development in internet technologies it is essential to encrypt any kind of confidential message before sending the message from one computer to another computer. Data security is an extremely important issue and many algorithms have been developed which are almost impossible to break. The intention of the trespasser is to break the cipher and to retrieve unauthorized information. It is the job of the cryptographers to restrict the trespassers from achieving unauthorized access. Nath et al had recently proposed

MWFES-1[1], Modified MWFES-1[2], MWFES-2[3], Modified MWFES-2[4], MWFES-3[5].

In MWFES-1, the plain text character is added with the corresponding key character, the forward feedback and backward feedback and then the total sum (modulo 256) is taken as the corresponding cipher text character. The cipher text character is taken as the forward feedback value for the next byte (in case of forward operation) or backward feedback value for the previous byte (in case of backward operation). Forward and Backward operations are carried out on all the bytes starting from their respective ends.

In MWFES-2, the process is a little more general. Instead of propagating the feedback to the next byte (in case of forward feedback) and to the previous byte (in case of backward feedback) the feedback is propagated to the  $n^{\text{th}}$  byte where  $n$  is the 'skip factor'. In MWFES-2 the forward skip is kept equal to the backward skip (equal to  $n$ ) and the initial forward feedback value and the backward feedback value was kept 0.

In MWFES-3, the authors introduced several changes in the algorithm. The plain text is broken into blocks and the encryption method is applied on each block separately. Each block has different Forward Skip (FS), Backward Skip (BS), initial Forward Feedback (FF) and initial Backward Feedback (BF) which are determined from the keypad counterpart of the block. These four important variables would decide the nature of the cipher text. The block size is different in every round of processing, causing these four important variables to change in every round. The total number of rounds (encryption no), and the block size value were also taken as a function of the key.

In the present algorithm, i.e. AFES-1 the Plain Text is converted to its corresponding bits and stored in a square matrix of size equal to the integral square root of the number of bits. The residual bits remain untouched. Then the bits are arranged by calling 24 different shifting functions. Now, the order of calling the 24 functions change at each iteration and

that order is taken as a function of the keypad. These 24 functions can be extended to 'n' functions as long as each of the functions is reversible. After this is done, the bits are converted back to bytes and then MWFES-3[5] is applied on those bytes. This entire process happens Encryption Number (EN) times. Therefore, in each iteration, the bits are permuted in a different way and then MWFES-3 is applied on the resultant bytes. Thorough tests were conducted on some standard plain text files and it was found that it is absolutely impossible for any intruder to extract any plain text from the generated encrypted text using any brute force method. The results show that the present method is free from any kind of classical attacks.

The present method is an extremely strong method as all controlling parameters change at every round. The present method may be applied in any Corporate sector, Defense sector, Government sector etc. The entire encryption and decryption software have been developed using MATLAB.

## 2. ALGORITHM FOR AFES-1

In the present section the encryption algorithm, key generation algorithm as well as decryption algorithm will be discussed.

### 2.1 Algorithm for function encryption()

Step 1: Start  
Step 2: Input PlainText , User Provided Seed and Cipher Text filenames  
Step 3: length=length(pt) /\*pt is the PlainText\*/  
Step 4: seed[]=Stores content of seed given by User  
Step 5: n=16  
Step 6: If n\*n<length, the go to Step 7,otherwise go to Step 8  
Step 7: n=n+1 and go to Step 6  
Step 8: key[]=Call key\_generation(seed[],n)  
Step 9: encryption\_no=key[fix((n\*n)/2)]  
Step 10: encryption\_no=mod(encryption\_no,64)  
Step 11: if encryption\_no=0 then encryption\_no=1  
Step 12: e=1  
Step 13: If e<=encryption\_no then go to Step 14 otherwise go to Step 64  
Step 14: Initialise sum,ff[length],bf[length],ct[length] with zeros /\*ct=CipherText,ff=Forward Feedbacks,bf=Backward Feedbacks\*/.  
Step 15: Call pt= pt\_Shift(key[e]).  
Step 16: block\_size=key[e]  
Step 17: If block\_size>length, then go to Step 18, otherwise go to Step 19  
Step 18: block\_size=block\_size-4  
Step 19: If block\_size<4,then block\_size=4  
Step 20: Initialise k, low and no\_of\_block with 1  
Step 21: high=block\_size  
Step 22: If k>=block\_size, go to Step 23,otherwise go to Step 36  
Step 23: k=k-block\_size  
Step 24: forward\_next=mod(key[low]+1,block\_size)  
Step 25: backward\_next=mod(key[high]+1,block\_size)

Step 26: If forward\_next=0,then forward\_next=1  
Step 27: If backward\_next=0,then backward\_next=1  
Step 28: forward\_feedback=key[low+1]  
Step 29: backward\_feedback=key[high-1]  
Step 30: ff[low]=forward\_feedback  
Step 31: bf[high]=backward\_feedback  
Step 32: Call encryption\_block(low,high)  
Step 33: low=high+1  
Step 34: high=high+block\_size  
Step 35: no\_of\_block=no\_of\_block+1 and go to Step 22  
Step 36: i=low  
Step 37: If i<=length, go to Step 38, otherwise go to Step 40  
Step 38: ct[i]=pt[i]  
Step 39: i=i+1 and go to Step 37  
Step 40: If k>0, go to Step 41,otherwise go to Step 62  
Step 41: i=length-k  
Step 42: If i>=1,go to Step 43,otherwise go to Step 45  
Step 43: ct[i+k]=ct[i]  
Step 44: i=i-1 and go to Step 42  
Step 45: j=low  
Step 46: i=1  
Step 47: If i<=k,go to Step 48,otherwise go to Step 51  
Step 48: ct[i]=pt[j]  
Step 49: j=j+1  
Step 50: i=i+1 and go to Step 47  
Step 51: pt[]=ct[]  
Step 52: forward\_next=mod((key[1]+1),256)  
Step 53: backward\_next=mod((key[block\_size]+1),256)  
Step 54: If forward\_next=0,then forward\_next=1  
Step 55: If backward\_next=0,then backward\_next=1  
Step 56: forward\_feedback=key[2]  
Step 57: backward\_feedback=key[block\_size-1]  
Step 58: Initialise ff[length] and bf[length] with zeros  
Step 59: ff[1]=forward\_feedback  
Step 60: bf[block\_size]=backward\_feedback  
Step 61: Call encryption\_block(1,block\_size)  
Step 62: pt[]=ct[] /\*Copying converted PlainText into CipherText array \*/  
Step 63: e=e+1 and go to Step 13  
Step 64: End

### 2.2 Algorithm for function encryption\_block (low,high)

Step 1: Initialize i=low  
Step 2: sum[i]=pt[i]+key[i]+ff[i]+bf[i]  
Step 3: ct[i]=mod(sum[i],256);  
Step 4: if i+forward\_next>high go to step 5,else go to step 6  
Step 5: ff[low+(i+forward\_next-high)-1]=ct[i]  
Step 6: ff[i+forward\_next]=ct[i];

Step 7:  $\text{index}=\text{high}-(\text{i}-\text{low})$   
Step 8:  $\text{sum}[\text{index}] = \text{pt}[\text{index}] + \text{key}[\text{index}] + \text{ff}[\text{index}] + \text{bf}[\text{index}]$   
Step 9:  $\text{ct}[\text{index}]=\text{mod}(\text{sum}(\text{index}),256)$   
Step 10: If  $\text{index}-\text{backward\_next}<\text{low}$  go to step 11,else go to step 12  
Step 11:  $\text{bf}[\text{high}-(\text{low}-(\text{index}-\text{backward\_next}))+1]=\text{ct}[\text{index}]$   
Step 12: Return control to the calling function

### 2.3 Algorithm for function key\_generation(seed[],n)

From secret\_key(seed) the program will generate an enlarged keypad. This keypad is stored in a square matrix having dimensions equal to the nearest greater perfect square of the Plain Text length. The first element of this keypad is taken to be sum of the ASCII codes of the characters in the seed. Now the next elements are simply values that are linearly multiplied with the sum, i.e  $k*\text{sum}$  for  $k=1,2,3$  etc. If there is any repetition, then the program will modify the initial sum to be  $\text{sum}=\text{sum}+1$  and the process will continue. The value of sum and its subsequent multiplications are kept within the boundaries of 0-255 by applying the modulo operations on the numbers at every iteration and only after that the numbers are added to the keypad matrix. This way an initial matrix is created. The elements of the matrix were reshuffled using some simple operations such as upshift(), leftshift(),diagonal1\_shift(),downshift(),rightshift(),diagonal2\_shift() etc. The final key was developed using various properties of the seed as well as intrinsic properties of the keypad. Any other appropriate key expansion algorithm can also be used for encryption and decryption.

Step 1:  $\text{seed\_l}=\text{length}(\text{seed})$   
Step 2:  $\text{sum}=0$   
Step 3:  $\text{i}=1$   
Step 4: If  $\text{i}\leq\text{seed\_l}$ ,then go to Step 5,otherwise go to Step7  
Step 5:  $\text{sum}=\text{sum}+\text{seed}[\text{i}]$   
Step 6:  $\text{i}=\text{i}+1$  and go to Step 4  
Step 7:  $\text{sum}=\text{mod}(\text{sum},256)$   
Step 8: Initialise array  $\text{key}[]$  with all zeros  
Step 9:  $\text{sum1}=\text{sum}$   
Step 10:  $\text{i}=1$   
Step 11: If  $\text{i}\leq\text{n}$ ,go to Step 12,otherwise go to Step 21  
Step 12:  $\text{j}=1$   
Step 13: If  $\text{j}\leq\text{n}$ ,go to Step 14,otherwise go to Step 20  
Step 14:  $\text{key}[\text{i}][\text{j}]=\text{mod}(\text{sum1},256)$   
Step 15:  $\text{sum1}=\text{sum1}+\text{sum}$   
Step 16: If  $\text{mod}(\text{sum1},256)=\text{mod}(\text{sum},256)$ ,go to Step 17,otherwise go to Step 19  
Step 17:  $\text{sum}=\text{mod}(\text{sum}+1,256)$   
Step 18:  $\text{sum1}=\text{mod}(\text{sum},256)$   
Step 19:  $\text{j}=\text{j}+1$  and go to Step 13  
Step 20:  $\text{i}=\text{i}+1$  and go to Step 11  
Step 21:  $\text{i}=1$   
Step 22: If  $\text{i}\leq\text{seed\_l}$ ,go to Step 23,else go to Step 31  
Step 23:  $\text{key}[][]=\text{Call left\_shift}(\text{key}[],\text{n})$

Step 24:  $\text{key}[][]=\text{Call down\_shift}(\text{key}[],\text{n})$   
Step 25:  $\text{key}[][]=\text{Call circular}(\text{key}[],\text{n})$   
Step 26:  $\text{key}[][]=\text{Call right\_shift}(\text{key}[],\text{n})$   
Step 27:  $\text{key}[][]=\text{Call up\_shift}(\text{key}[],\text{n})$   
Step 28:  $\text{key}[][]=\text{Call diagonal1\_shift}(\text{key}[],\text{n})$   
Step 29:  $\text{key}[][]=\text{Call diagonal2\_shift}(\text{key}[],\text{n})$   
Step 30:  $\text{i}=\text{i}+1$  and go to Step 22  
Step 31:  $\text{sum}=0$   
Step 32:  $\text{i}=1$   
Step 33: If  $\text{i}\leq\text{n}$ ,go to Step 34,otherwise go to Step 36  
Step 34:  $\text{sum}=\text{sum}+\text{key}[\text{i}][\text{i}]$   
Step 35:  $\text{sum}=\text{sum}+\text{key}[\text{i}][\text{n}-\text{i}+1]$   
Step 36:  $\text{randomization\_number}=\text{mod}(\text{sum},256)$   
Step 37:  $\text{i}=1$   
Step 38: If  $\text{i}\leq\text{randomization\_number}$ ,go to Step 39,else go to Step 47  
Step 39:  $\text{key}[][]=\text{Call left\_shift}(\text{key}[],\text{n})$   
Step 40:  $\text{key}[][]=\text{Call down\_shift}(\text{key}[],\text{n})$   
Step 41:  $\text{key}[][]=\text{Call circular}(\text{key}[],\text{n})$   
Step 42:  $\text{key}[][]=\text{Call right\_shift}(\text{key}[],\text{n})$   
Step 43:  $\text{key}[][]=\text{Call up\_shift}(\text{key}[],\text{n})$   
Step 44:  $\text{key}[][]=\text{Call diagonal1\_shift}(\text{key}[],\text{n})$   
Step 45:  $\text{key}[][]=\text{Call diagonal2\_shift}(\text{key}[],\text{n})$   
Step 46:  $\text{i}=\text{i}+1$  and go to Step 38  
Step 47: Initialise array  $\text{key1}[]$  containing  $(\text{n}*\text{n})$  elements with all zeros  
Step 48:  $\text{k}=1$   
Step 49:  $\text{i}=1$   
Step 50: If  $\text{i}\leq\text{n}$ ,go to Step 51,otherwise go to Step 57  
Step 51:  $\text{j}=1$   
Step 52: If  $\text{j}\leq\text{n}$ ,go to Step 53,otherwise go to Step 56  
Step 53:  $\text{key1}[\text{k}]=\text{key}[\text{i}][\text{j}]$   
Step 54:  $\text{k}=\text{k}+1$   
Step 55:  $\text{j}=\text{j}+1$  and go to Step 52  
Step 56:  $\text{i}=\text{i}+1$  and go to Step 50  
Step 57: Return array  $\text{key1}[]$  to calling function

### 2.4 Algorithm for function decryption()

Step 1: Start  
Step 2: Input the CipherText,User Provided Seed and decrypted PlainText(Output) filenames.  
Step 3:  $\text{len}=\text{length}(\text{CipherText})$   
Step 4:  $\text{seed}[]=\text{User Provided Key}$   
Step 5:  $\text{n}=16$   
Step 6: Is  $(\text{n}*\text{n})<\text{len}$ ?  
Step 7: If Step 6=True, then  $\text{n}=\text{n}+1$  and go to Step 6.  
Step 8: If Step 6=False, then go to Step 9  
Step 9:  $\text{key}=\text{Call key\_generation}(\text{seed},\text{n})$   
Step 10:  $\text{encryption\_no}=\text{key}[\text{fix}((\text{n}*\text{n})/2)]$   
Step 11:  $\text{e}=\text{encryption\_no}$

Step 12: block\_size=key[e]  
Step 13: Is block\_size>len?  
Step 14: If Step 12=True, then block\_size=block\_size-4 and go to Step 13.  
Step 15: If Step 12=False,then go to Step 16.  
Step 16: Is block\_size<4?  
Step 17: If Step 16=True, then block\_size=4  
Step 18: If Step 16=False, then go to Step 20.  
Step 19: remainder=mod(len,block\_size);  
Step 20: initialise the array ct\_temp[block\_size] with all zeros;  
Step 21: initialise the array key\_temp[block\_size] with all zeros;  
Step 22: Is remainder!=0?  
Step 23: If Step 22=True,go to Step 24,else go to Step 44.  
Step 24: t=1  
Step 25: ct\_temp[t]=ct[t]  
Step 26: key\_temp[t]=key[t]  
Step 27: If t>block\_size,go to step 28,else t=t+1 and go to Step 25.  
Step 28: forward\_next=key\_temp[1]  
Step 29: backward\_next=key\_temp[block\_size]  
Step 30: forward\_feedback=key\_temp[2]  
Step 31: backward\_feedback=key\_temp[block\_size-1]  
Step32: pt=Call decryption\_block (ct\_temp, key\_temp forward\_next,backward\_next,forward\_feedback,backward\_feedback,block\_size)  
Step 33: j=len-remainder+1  
Step 34: i=1  
Step 35: pt\_main[j]=pt[i]  
Step 36: j=j+1  
Step 37: If i>remainder, then go to Step 38,else i=i+1 and go to Step 35.  
Step 38: i=1  
Step 39: ct[i]=pt[i]  
Step 40: If i>block\_size, then go to Step 41 else i=i+1 go to Step 39.  
Step 41: i=remainder+1  
Step 42: ct[i-remainder]=ct[i]  
Step 43: If i>len,then go to Step 44,else i=i+1 and go to Step 42.  
Step 44: begin=1  
Step 45: tot\_div=floor(len/block\_size)  
Step 46: i=1  
Step 47: set all elements of ct\_temp[block\_size] by zero  
Step 48: set all key\_temp[block\_size] with all zeros  
Step 49: j=1  
Step 50: t=begin  
Step 51: ct\_temp[j]=ct[t]  
Step 52: key\_temp[j]=key[t]  
Step 53: j=j+1

Step 54: If t>begin+block\_size-1 then go to Step 55 else t=t+1 , go to Step 51.  
Step 55: forward\_next=key\_temp[1]  
Step 56: backward\_next=key\_temp[block\_size]  
Step 57: forward\_feedback=key\_temp[2]  
Step 58: backward\_feedback=key\_temp[block\_size-1]  
Step59: pt = Call decryption\_block (ct\_temp, key\_temp, forward\_next,backward\_next,forward\_feedback,bacward\_fedback,block\_size)  
Step 60: j=1  
Step 61: k=begin  
Step 62: pt\_main[k]=pt[j]  
Step 63: j=j+1  
Step 64: If k>begin+block\_size-1, then go to Step 65,else k=k+1 and go to Step 62.  
Step 65: begin=begin+block\_size  
Step 66: If i>tot\_div,then go to Step 67,else i=i+1 and go to Step 46.  
Step 67: ct[]=pt\_main[]  
Step 68: ct=Call ct\_shift(pt\_main[],key[e])  
Step 69: If e<1,then go to Step 70,else e=e-1 and go to Step 12.  
Step 70: Write contents of pt\_main into output file.  
Step 71: End.

## **2.5 Algorithm for function decryption\_block(ct[],key[],forward\_next,backward\_next,ff[],bf[],block\_size)**

Step-1: forward\_next=forward\_next+1  
Step-2: forward\_next=mod(forward\_next,block\_size)  
Step-3: if forward\_next=0 then forward\_next=1 otherwise go to Step-4  
Step-4: backward\_next=backward\_next+1  
Step-5: backward\_next=mod(backward\_next,block\_size)  
Step-6: if backward\_next=0 then backward\_next=1 otherwise go to Step-7  
Step-7: (u,v) = Call generateList (block\_size, forward\_next, backward\_next);  
Step-8: initialise the array pt[block\_size] with all zeros  
Step-9: k=2\*block\_size  
Step-10: if k > block\_size+1 then go to Step-45 otherwise go to Step-11  
Step-11: (i,j) = Call whatIsIn (u[k], block\_size, forward\_next ,backward\_next, v[])  
Step-12: if i!=j then go to Step-13 otherwise Step-25  
Step-13: if i=0 then go to Step-14 otherwise Step-15  
Step-14: pos\_i=0  
Step-15: if v[Call oldPosition(i,block\_size)]=u[k] then go to Step-16 otherwise go to Step-17  
Step-16: pos\_i=Call oldPosition(i,block\_size)  
Step-17: pos\_i=Call lastPosition(i,block\_size)  
Step-18: if j=0 the go to Step-19 otherwise go to Step-20

Step-19: pos<sub>j</sub>=0  
 Step-20: if v(Call oldPosition(j,block\_size))=u[k] then go to Step-21 otherwise go to Step-22  
 Step-21: pos<sub>j</sub>=Call oldPosition(j,block\_size)  
 Step-22: pos<sub>j</sub>=Call lastPosition(j,block\_size)  
 Step-23: sub1=Call isChanged(i,pos<sub>i</sub>)  
 Step-24: sub2=Call isChanged(j,pos<sub>j</sub>) go to Step-27  
 Step-25: sub1=Call isChanged(i,oldPosition(i,block\_size))  
 Step-26: sub2=Call isChanged(i,lastPosition(i,block\_size))  
 Step-27: check1=ct[u[k]]-sub1-sub2-key[u[k]]  
 Step-28: if i=0 and j=0 then go to Step-29 otherwise go to Step-34  
 Step-29: if u[k]=block\_size then go to Step-30 otherwise Step-31  
 Step-30: check=check1-bf  
 Step-31: if u[k]=1 then go to Step-32 otherwise go to Step-33  
 Step-32: check=check1-ff go to Step-39  
 Step-33: check=check1 go to Step-39  
 Step-34: if u[k] = block\_size and (Call conditionCheck (u[k],i,j,block\_size,v) =1) then go to Step-35 otherwise go to Step-36  
 Step-35: check=check1-bf  
 Step-36: if u[k]=1 and (Call conditionCheck (u[k],i,j,block\_size,v)=2) then go to Step-37 otherwise go to Step-38  
 Step-37: check=check1-ff  
 Step-38: check=check1  
 Step-39: if (check < 0) then go to Step-40 otherwise go to Step-42  
 Step-40: check=check+256  
 Step-41: go to Step-39  
 Step-42: check=mod(check,256)  
 Step-43: pt[u[k]]=check  
 Step-44: k=k+1 and go to Step-10  
 Step-45: return pt[] to the calling function

## **2.6 Algorithm for function condition\_check (number,i,j,block\_size,v[])**

Step 1: if i\*j!=0, go to step 2, else go to step 2,else go to step 3  
 Step 2: flag=0  
 Step 3: if i!=0 go to Step 4,else go to step 8  
 Step 4: if v[Call oldPosition(i,block\_size)]==number, go to step 5, else go to step 6  
 Step 5: pos=Call oldPosition(i,block\_size)  
 Step 6: pos=Call lastPosition(i,block\_size)  
 Step 8: if v[Call oldPosition(j,block\_size)]==number, go to step 9,else go to step 10  
 Step 9: pos=Call oldPosition(j,block\_size)  
 Step 10: pos=Call lastPosition(j,length)  
 Step 11: flag1=mod(pos,2)

Step 12: if flag1=0, go to step 13,else go to step 14  
 Step 13: flag=2  
 Step 14: flag=flag1  
 Step 15: Return flag to the calling function

## **2.7 Algorithm for function is\_changed (number,position,forward\_next,backward\_next,block\_size,u[],v[],ct[],ff[],bf[])**

Step 1: is number==0?  
 Step 2: if Step 1=TRUE,then go to sub=0 else go to Step 3  
 Step 3: if position=Call lastPosition(number,block\_size) then sub=ct[number] else go to Step 4  
 Step4: [i,j] = Call whatIsInBetween (number,length,v,next1,next2)  
 Step 5: if i!=j go to step 6, else go to step 24  
 Step 6: if i=0 then set position<sub>i</sub>=0 else go to step 7  
 Step 7: if v[Call lastPosition(i,block\_size)]=number then set position<sub>i</sub>=Call lastPosition(i,block\_size) else go to Step 8  
 Step 8: set position<sub>i</sub>=Call oldPosition(i,block\_size)  
 Step 9: if j=0,set position<sub>j</sub>=0,else go to step 10  
 Step 10: if v[Call lastPosition(i,block\_size)]=number, set position<sub>j</sub>=Call lastPosition(j,block\_size),else go to step 11  
 Step 11: set position<sub>j</sub>=Call oldPosition(j,block\_size)  
 Step12: sub1= ct[number]- isChanged (i,position<sub>i</sub>,next1,next2,block\_size,u,v,ct,ff,bf)- isChanged(j,position<sub>j</sub>,next1,next2,block\_size,u,v,ct,ff,bf)  
 Step13:[a,b]=Call whatIsIn (number,block\_size,next1,next2, v)  
 Step 14: if a=0 and b=0 then go to step 15,else go to step 18  
 Step 15: if number=block\_size,set sub=sub1+bf else go to step 16  
 Step 16: if number=1 then set sub=sub1+ff else go to step 17  
 Step 17: sub=sub1  
 Step18:flag= Call conditionCheck (number,a,b,block\_size,v )  
 Step 19: if number=block\_size and position=Call oldPosition(number) and flag!=1 go to Step 20, else go to step 21  
 Step 20: sub=sub1+bf  
 Step 21: if number=1 and position=Call oldPosition(number) and flag!=2 go to Step 22, else go to step 23  
 Step 22: sub=sub1+ff  
 Step 23: sub=sub1  
 Step24:sub1=ct[number]-isChanged (i,oldPosition(i),next1,next2, block\_size,u,v,ct,ff,bf)- isChanged(i,lastPosition(i),next1,next2,block\_size,u,v,ct,ff,bf)  
 Step 25: [a,b]=whatIsIn(number,block\_size,next1,next2,v)  
 Step 26: if a=0 and b=0 then go to step 27,else go to step 30  
 Step 27: if number==block\_size,set sub=sub1+bf else go to step 28  
 Step 28: if number==1,set sub=sub1+ff,else go to step 29  
 Step 29: sub=sub1  
 Step30: flag = Call conditionCheck (number,a,b,block\_size,v)

Step 31: if number==block\_size and position==Call oldPosition(number,block\_size) and flag!=1 go to Step 32, else go to step 33

Step 32: sub=sub1+bf

Step 33: if number==1 and position==Call oldPosition(number,block\_size) and flag!=2 go to Step 34, else go to step 35

Step 34: sub=sub1+ff

Step 35: sub=sub1

Step 36: Return sub to the calling function

## 2.8 Algorithm for function what\_is\_in (number,block\_size,forward\_next,backward\_next,v[])

Step-1: if number+backward\_next<=block\_size, then go to Step-2,otherwise Step-3

Step-2: i=number+backward\_next

Step-3: i=number+backward\_next-block\_size,

Step-4: if number-forward\_next>=1 then go to Step-5,otherwise go to Step-6

Step-5: j=number-forward\_next

Step-6: j=number-forward\_next+block\_size,

Step-7: lastPos\_number = Call lastPosition (number, block\_size)

Step-8: if(i=j and i!=0) then go to Step-9,otherwise go to Step-13

Step-9: if(Call lastPosition(i,block\_size)>lastPos\_number) then go to Step-10,otherwise go to Step-11

Step-10: i=0

Step-11: if(Call oldPos(i,block\_size)>lastPos\_number) then go to Step-12,otherwise go to Step-23

Step-12: j=0

Step-13: if(i!=0) then go to Step-14 otherwise go to Step-18

Step-14: if(Call lastPosition(i,block\_size)>lastPos\_number and v(Call lastPosition(i,block\_size))=number) then go to Step-15,otherwise go to Step-16

Step-15: i=0

Step-16: if(Call oldPos(i,block\_size,>)lastPos\_number and v(Call oldPos(i,block\_size,))=number) then go to Step-17,otherwise go to Step-18

Step-17: i=0

Step-18: if(j!=0) then go to Step-19 otherwise go to Step-23

Step-19: if(Call lastPosition(j,block\_size,>)lastPos\_number and v(Call lastPosition(j,block\_size,))=number) then go to Step-20,otherwise go to Step-21

Step-20: j=0

Step-21: if(Call oldPos(j,block\_size,>)lastPos\_number and v(Call oldPos(j,block\_size,))=number) then go to Step-22,otherwise go to Step-23

Step-22: j=0

Step-23: Return i and j to the calling function

## 2.9 Algorithm for function what\_is\_in\_between (number,block\_size,forward\_next,backward\_next,v[])

Step-1: (i,j) = Call whatIsIn (number,block\_size,,forward\_next,backward\_next,v[])

Step-2: if i=j and i!=0 and j!=0 then go to Step-3,otherwise go to Step-10

Step-3: condition=(Call lastPosition(i,block\_size,>)Call oldPos(number,block\_size,) and Call lastPosition(i,block\_size,<)Call lastPosition(number,block\_size,) and v(Call lastPosition(i,block\_size,))=number)

Step-4: if condition=0 then go to Step-5,otherwise go to Step-6

Step-5: i=0

Step-6: condition=(Call oldPosition(j,block\_size,>)Call oldPos(number,block\_size,) and Call oldPosition(j,block\_size,<)Call lastPosition(number,block\_size,) and v(Call oldPosition(j,block\_size,))=number)

Step-7: if condition=0 then got to Step-8, otherwise go to Step-9

Step-8: j=0

Step-9: go to Step-20

Step-10: if i!=0 then go to Step-11,otherwise go to Step-15

Step-11: condition1=Call lastPosition(i,block\_size,>)Call oldPos(number,block\_size,) and Call lastPosition(i,block\_size,<)Call lastPosition(number,block\_size,) and v(Call lastPosition(i,block\_size,))=number

Step-12: condition2=Call oldPosition(i,block\_size,>)Call oldPos(number,block\_size,) and Call oldPosition(i,block\_size,<)Call lastPosition(number,block\_size,) and v(Call oldPosition(i,block\_size,))=number

Step-13: if condition1=0 and condition=0 then go to Step-14,otherwise go to Step-15

Step-14: i=0

Step-15: if j!=0 then go to Step-16,otherwise go to Step-20

Step-16: condition1=Call lastPosition(j,block\_size,>)Call oldPos(number,block\_size,) and Call lastPosition(j,block\_size,<)Call lastPosition(number,block\_size,) and v(Call lastPosition(j,block\_size,))=number

Step-17: condition2=Call oldPosition(j,block\_size,>)Call oldPos(number,block\_size,) and Call oldPosition(j,block\_size,<)Call lastPosition(number,block\_size,) and v(Call oldPosition(j,block\_size,))=number

Step-18: if condition1=0 and condition=0 then go to Step-19,otherwise go to Step-20

Step-19: j=0

Step-20: Return i and j to the calling function

## 2.10 Algorithm for function generate\_list(block\_size,forward\_next,backward\_next)

Step 1:-source=1.  
Step 2:- i=1.  
Step 3:-u[i]=source. /\*u contains the source of the Feedback Transfers.\*/  
Step 4:-if (u[i]+mod(next,length)) >length,then v[i]=u[i]+mod(next,length) – length.  
Step 5:- if (u[i]+mod(next,length)) <= length, then v[i]=u[i]+mod(next,length).  
Step 6:- source=source+1;  
Step 7:- if i < (2\*length); then i=i+2 and go to Step 3.  
Step 8:-source= length.  
Step 9:- i =2.  
Step 10:-u[i]=source.  
Step 11:-if (u[i]-mod(next,length)) < 1,then v[i]=u[i]-mod(next,length) + length.  
Step 12:- if (u[i]-mod(next,length)) >= 1, then v[i]=u[i] -mod(next,length).  
Step 13:- source=source-1;  
Step 14:- if i < (2\*length); then i= i+2 and go to Step 10.  
Step 15:- Return Control to calling function, also return u[] and v[] to the calling function.

## 2.11 Algorithm for function old\_position(number,block\_size)

Step 1:-current\_pos = Call last\_Position\_of (number, length);  
Step 2:- first\_pos = 2\*length - current\_pos+1;  
Step 3:-Return Control to calling function, and return first\_pos to the calling function.

## 2.12 Algorithm for function last\_position(Number,Block\_Size)

Step 1:-if number <= ceil (length/2); go to Step 3  
Step 2:- if number >ceil (length/2); go to Step 4  
Step 3:-last\_pos = 2\*length - 2\*(number-1);  
Step 4:- last\_pos = 2\*(number-1);  
Step 5:- Return Control to calling function,and return last\_pos to the calling function.

## 2.13 Algorithm for function pt\_shift(num)

Step 1:- seq=Call generate\_sequence(num)  
Step 2:-pt\_bits=Call convertToBits(pt)  
Step 3:-shifted\_pt\_bits=Bit\_Rotation(pt,bits,seq[],0)  
Step 4:- shifted\_pt\_bytes=convertToBytes(shifted\_pt\_bits)  
Step 5:-Return shifted\_pt\_bytes to calling function.

## 2.14 Algorithm for function ct\_shift(ct[],num)

Step 1:- seq=Call generate\_sequence(num)  
Step 2:-ct\_bits=Call convertToBits(ct)

Step 3:-shifted\_ct\_bits=Bit\_Rotation(ct,bits,seq[],1)  
Step 4:- shifted\_ct\_bytes=convertToBytes(shifted\_pt\_bits)  
Step 5:-Return shifted\_ct\_bytes to calling function.

## 2.15 Algorithm for function convert\_to\_bits(a[])

Step 1:- k=1  
Step 2:- i=1 to length of a[] Step=1 do  
Step 3:-j=8 to 1 step=-1 do  
Step 4:-aux[k]=Call bitget(a[i],j)  
Step 5:-k=k+1;  
Step 6:-If j>1 then go to Step 4 else go to Step 7  
Step 7:-If i<length of a[] then go to Step 3 else go to Step 8  
Step 8:-Return aux[] to the calling function.

## 2.16. Algorithm for function convert\_to\_bytes(a[])

Step 1:- k=1  
Step 2:- i=1 to (length of a[])/8 Step=1 do  
Step 3:-sum=0  
Step 4:- j=7 to 0 step=-1 do  
Step 5:-sum= sum+a[k]\*2^j  
Step 6:-k=k+1  
Step 7:-If j>0 then go to Step 5 else go to Step 8  
Step 8:-b[i]=sum  
Step 9:-If i<(length of a[])/8 then go to Step 3 else go to Step 10  
Step 10:-Return b[] to the calling function.

## 2.17. Algorithm for function generate\_sequence(num)

This function simply generates a sequence array according to the generated keypad in order to make sure that the bits are rotated in a dynamic fashion rather than in the same way every round, which would render the rotation of bits impractical.

## 2.18. Algorithm for function bit\_rotation(b[],seq[],flag)

Step 1:- len= length of b[] array  
Step 2:- n=Integral part of square root of len.  
Step 3:-Array a[n][n] is filled row-major wise with the bits in b[] array.  
Step 4:-If flag=1(signifying Decryption), the seq[] array is reversed.  
Step 5:- The 24 different bit shifting functions are called in a sequence given by the seq[] array.  
Step 6:- Jumbled bits are copied back into the b[] array.  
Step 7:- b[] array is returned to the calling function.

### 2.18.1) Diagonal1\_Down\_Shift

In this function, the major diagonal is shifted one place downwards, the shifting being cyclic.

### 2.18.2) Diagonal2\_Down\_Shift

In this function, the second diagonal is shifted one place downwards, the shifting being cyclic.

**2.18.3) Diagonal1\_Up\_Shift**

In this function, the major diagonal is shifted one place upwards, the shifting being cyclic.

**2.18.4) Diagonal2\_Up\_Shift**

In this function, the second diagonal is shifted one place upwards, the shifting being cyclic.

**2.18.5) Exchange\_Diagonals\_ColumnWise**

In this function, the two diagonals in the bit matrix are exchanged with each other column wise.

**2.18.6) Exchange\_Diagonals\_RowWise**

In this function, the two diagonals in the bit matrix are exchanged with each other row wise.

**2.18.7) Flip\_Diagonal1**

In this function, the order of the major diagonal elements is reversed.

**2.18.8) Flip\_Diagonal2**

In this function, the order of the second diagonal elements is reversed.

**2.18.9) Up\_Shift\_Even**

In this function, Even rows are shifted upwards by one.

**2.18.10)Down\_Shift\_Even**

In this function, Even rows are shifted downwards by one.

**2.18.11)Up\_Shift\_Odd**

In this function, Odd rows are shifted upwards by one.

**2.18.12)Down\_Shift\_Odd**

In this function, Odd rows are shifted downwards by one.

**2.18.13)Exchange\_Even\_Column**

In this function, Even columns are exchanged with each other.

**2.18.14)Exchange\_Odd\_Column**

In this function, Odd columns are exchanged with each other.

**2.18.15)Exchange\_Even\_Row**

In this function, Even rows are exchanged with each other.

**2.18.16)Exchange\_Odd\_Row**

In this function, Odd rows are exchanged with each other.

**2.18.17)Left\_Shift\_Even**

In this function, Even rows are shifted one place to the left.

**2.18.18)Left\_Shift\_Odd**

In this function, Odd rows are shifted one place to the left.

**2.18.19)Right\_Shift\_Even**

In this function, Even rows are shifted one place to the right.

**2.18.20)Right\_Shift\_Odd**

In this function, Odd rows are shifted one place to the right.

**2.18.21)Rotate\_Even\_AntiClockwise**

In this function, Even interior circles are rotated AntiClockwise.

**2.18.22)Rotate\_Odd\_AntiClockwise**

In this function, Odd interior circles are rotated AntiClockwise.

**2.18.23)Rotate\_Even\_Clockwise**

In this function, Even interior circles are rotated Clockwise.

**2.18.24)Rotate\_Odd\_Clockwise:**

In this function, Odd interior circles are rotated Clockwise.

**3. RESULTS AND DISCUSSIONS**

**3.1 Encryption of small plain texts with given seed**

In the table given on the Left Hand Side of the next page (Table-I), there are many instances where it is observed that for the same seed, almost similar Plain Texts in SL. NO 1 , 2 and 3, NO. 4 ,5 and 6, NO. 9 and 10, the Cipher Texts are totally haphazard thus rendering the Plain Text irretrievable. Therefore, for slightly bigger Plain Texts the retrieval of the Plain Text becomes almost impossible for any machine as well unless the key, i.e. seed is known.

**Table-1. Small test cases**

SL. NO.	PLAIN TEXT	SEED	CIPHER TEXT
1	AAAAAA	Xaviers	3{(@·ñ
2	BAAAAA	Xaviers	_`>¶ _
3	CAAAAA	Xaviers	†_¼Ä_Ç
4	ABABAB A	Xaviers	Ú#²Ÿ_}ÿ
5	ACACAC A	Xaviers	__;I.ay
6	BCBCBC B	Xaviers	®§d ¿z7
7	AAABAA A	Xaviers	ðš7õf4Ý
8	AAACAA A	Xaviers	]MŸa‘ÿ_
9	AABAAB A	Xaviers	_/J¶aš_
10	AACAAC A	Xaviers	8É1BYµ0



### 3.2 Encryption of a paragraph with given seed

In the encrypted Cipher Text shown on the Right Hand Side, a better example of the efficiency of the algorithm can be observed since the size of each block in every iteration of the encryption process plays an important role in completely diffusing the Plain Text into a seemingly random and completely incomprehensible Cipher Text.

Table 2. Encryption of a paragraph with seed **Xaviers**

Plain text	Cipher text
<p>St. Xavier's has always been known for his cosmopolitan and national character. Much before the expression "national integration" gained currency, St. Xavier's had tried to foster among its students the spirit and practice of it. Coming as they do from all over India and from various communities, they live in complete harmony, understanding and mutual respect. Thus they are encouraged to develop beyond local and group affinities, loyalties to the country and the society at large.</p>	<p>v_AS_\u{iYÛ÷eYá²dT ^-·°CE— Q¿;ú2!o İ+÷÷_İ _ÄÑ[ÄÒ?b_d- Üè;1.,OP“ÊJ?Që_@? úqû?·“½<sup>a</sup> ?&amp;â?ebÖn²¶i_Jý_D-ðéG§I/á%½Ö ID_?Z: Ê¼³Ä®?AB-Ô_Ä_¶_“i\$ _j™_Š³_3 ?"+_r_V— °_B_ÏöCs~HU@_7HÈL^_%S?_&lt;Ï e_Ävi†_³^òÈ"("#“r_âø¥”_Äi_?÷q □Qÿ÷â_øð?,-JÈÖ_Š.84Üö Ø_øÈçÁ\$}v_m““Ä_#¥fê%α_≡)È ÷‘_2_ä©Üó@wÓ:_j©_2yi_â†)İÖ ÖÖÚ%PN_uô±«mH±_ç+CØ□ß_‘ _CE«UdÄh©4¹Ä6□îû%ø_?X;¼³÷?· y5@_F_çî±uçSĬ_néÐ_îÖ&amp;·Ö†é_ È,³æ_:ÆÖÿÆB°9# eî» p“8”?²Ob0-Kä_lö÷f_ø 3_ôÝ_þqx~Ö9ââü’të~ò_éo@GÄ_2 «A²þ□x2iz36_ç4_çw ä y1ÖNŖ_ŹCİN_b-½¼¼_Ö-]°UÖ)_ æ</p>

### 3.3 Graphs and frequency analysis charts

The graphs given below give us a good estimate of the randomness of the occurrence frequencies of the different ASCII characters. In the ASCII '0', ASCII '1' charts varied results are obtained even when the same character is encrypted over and over again.

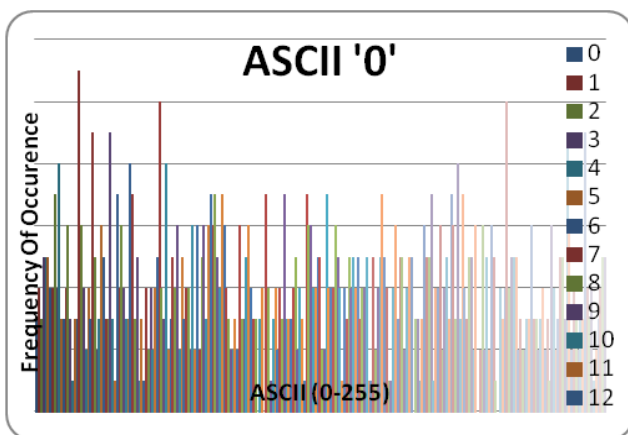


Fig 1: Frequency spectral graph for ASCII '0' for AFES Version-1

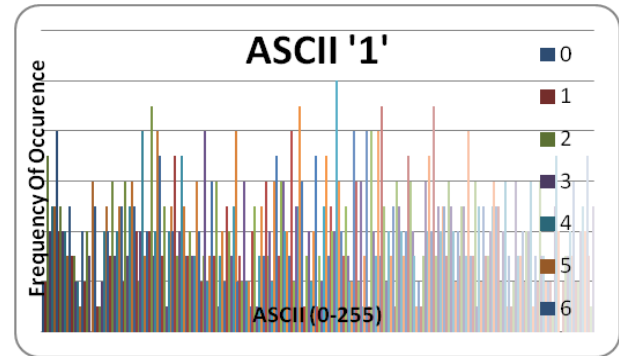


Fig 2: Frequency spectral graph for ASCII '1' for AFES Version-1

### 4. CONCLUSION AND FUTURE SCOPE

The present method has been tested on various types of files such as .doc, .jpg, .bmp, .exe, .com, .dbf, .wav, .avi and the results were quite satisfactory. The encryption and decryption methods work smoothly. In the present method the encrypted text cannot be decrypted without knowing the exact initial keypad. The results show that, the set of strings where there is a difference in only one character in the plain text, the encrypted texts are coming totally different from each other. The present method is free from any kind of brute force attack or known plain text attack. The present AFES Ver-1 may be applied to encrypt any short message, password, confidential key and even images and other file types as well. One can apply this method to encrypt data in sensor networks as well.

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