

A Study and Comparison of Low Voltage CMOS Current Multiplier

Sandeep K. Arya, Manoj Kumar, Mohit Kumar
 Department of Electronics & Communication Engineering
 Guru Jambheshwar University of Science & Technology, Hisar, India (125001)

ABSTRACT

A study and comparison between current mode CMOS analog multiplier, CMOS current mode multiplier/divider and high frequency four quadrant current multiplier has been carried out in this paper. Current multiplier has been simulated in SPICE with 0.35µm, 0.5µm. Simulation have been done with supply voltage of 3.3V, 1.5V and 1.55V respectively. The simulated results show that characteristic of multipliers are linear with 10µA, 10µA and 30µA input range respectively. These circuits are widely used for analog signal processing application.

1. INTRODUCTION

Multiplication of two signals is one of the most important operations in analog signal processing. The multiplier is not only used as a computational building block but also as a programming element in system such as filters, mixers, synthesizers, converter and modulators in communication systems. These are also important for non-linear analog signal processing functions finding application in adaptive filtering, modulation, fuzzy integrated system, frequency translation, automatic gain controlling and neural network [6]. Current multiplier can be designed either using transistor in linear region, in saturation region.

Main feature of standard CMOS fabrications are simplicity, low voltage operation, low power consumption and wide dynamic current range. In addition it is insensitive to temperature and process variation [7].

2. CIRCUIT DESCRIPTION

A. Low voltage current mode CMOS analog multiplier:

The principle of operation of the multiplier is based on the square-difference identity. There are three steps as shown in fig.1. and described as below:

Sum and subtraction both inputs.

Take the square of terms of first step and divided it by a constant current i.e. 4I.

Subtraction of second step with each other that output can be expressed as [5].

$$\frac{(X+Y)^2}{4I} - \frac{(X-Y)^2}{4I} = \frac{XY}{I} \quad (1)$$

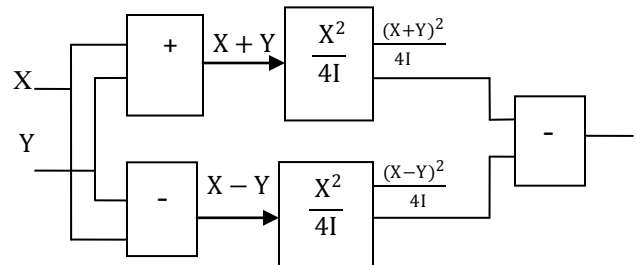


Figure 1: Current-Mode analog multiplier circuit

Current-mode squarer circuit based on the dual translinear loop. The circuit consists of two dual translinear loops. The first loop transistor Mp1 to Mp4 provides a (X-Y) input function to the squarer circuit provides output (X-Y)². The second loop transistor Mp6 to Mp9 provides a (X+Y) input function to the squarer circuit provides output (X+Y)² [6].

$$I_{01} = \frac{(I_x - I_y)^2}{4I_b} \quad (2)$$

$$I_{02} = \frac{(I_x + I_y)^2}{4I_b} \quad (3)$$

$$I_{out} = I_{02} - I_{01} \quad (4)$$

Solving these equations we get:

$$I_{out} = \frac{I_x I_y}{I_b} \quad (5)$$

Thus output current is directly proportional to I_x and I_y and inversely proportional to I_b. In this I_b is constant equal to 10µA [6].

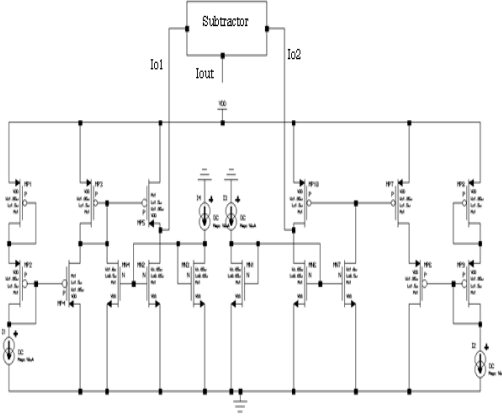


Figure 2: Current mode analog multiplier

B. Low voltage CMOS current-mode multiplier/divider:

The approach followed to implement the current mode multiplier will be the combination of geometric mean circuit and a squarer/divider circuit. Consider the following expression [7]:

$$I_z = \frac{I_x I_y}{I_w} \quad (6)$$

Where I_x , I_y , I_w and I_z being the current signals.

As shown in fig.3 output of squarer/divider circuit is

$$I_{out} = \frac{k \sqrt{I_x I_y}}{k^2 I_w} \quad (7)$$

I_z is output current so we can write as:

$$I_{out} = \frac{I_{in}^2}{k^2 I_w} \quad (8)$$

Hence output current is:

$$I_{out} = \frac{I_x I_y}{I_w} \quad (9)$$

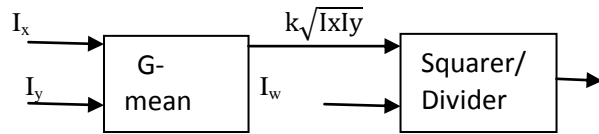


Figure 3: Current-mode multiplier/divider

Fig.4. shows the circuit implementation of current-mode multiplier/divider. It is based on forcing transition from triode region to saturation region and vice versa in transistor MN4, MN6, MN10 and MN12. Transistor MN2, MN8, MN10 and MN16 always operates in saturation, which can be done by properly choosing the cascade bias voltage V_{cn} . It will be assumed that the threshold voltage V_{th} of all NMOS transistor is same and that transistor MN2, MN8, MN10, MN16, MN4, MN6, MN12 and MN14

are matched, having the same transconductance factor β . Transistor MN1, MN3, MN5, MN7, MN9, MN11, MN13 and MN15 are also matched. Aspect ratio of MN1, MN3, MN5, MN7, MN9, MN11, MN13 and MN15 is n^2 times larger than the aspect ratio of transistor MN2, MN4, MN6, MN8, MN10, MN12, MN14 and MN16, n being an integer greater than one [7].

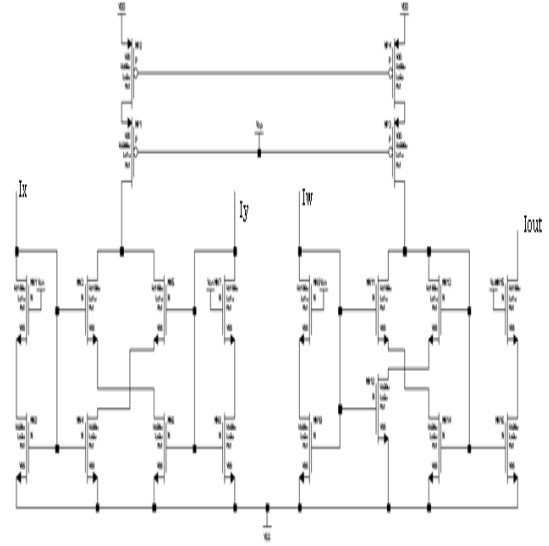


Figure 4: Current-mode multiplier/divider

C. High frequency four quadrant current multiplier:

Four quadrant CMOS current multiplier categorized into two groups: i.e. switched-capacitor approach and continuous time approach [4]. The multiplier based on switched capacitor approach has many disadvantages such as band limited signals and aliasing. So we will implement the circuit using continuous time approach. In this approach transistor could be biased in weak or strong inversion region. Generally transistor operates in saturation region because the square-algebraic identity can be easily realized [4].

Fig. 5. shows the four quadrant current multiplier. By using quadratic relation between the input and output currents we can find [4]:

$$I_2 = K [(b + a(I_x + I_y))]^2 \quad (10)$$

$$I_3 = K [(b - a(I_x + I_y))]^2 \quad (11)$$

$$I_9 = K [(b + a(I_x + I_y))]^2 \quad (12)$$

$$I_{10} = K [(b - a(I_x + I_y))]^2 \quad (13)$$

I_2 is current across transistor Mn2, I_3 is current across transistor Mn3, I_9 is current across transistor Mn9, I_{10} is current across transistor Mn10.

I01 is combination of I2 and I3 and I02 is combination of I9 and I10

$$I_{01} = K [(2b^2 + 2a^2(I_x + I_y)^2)] \quad (14)$$

$$I_{02} = K [(2b^2 + 2a^2(I_x - I_y)^2)] \quad (15)$$

Output current is difference between the I01 and I02 and is given by

$$I_{out} = I_{01} - I_{02} = 8Ka2IxIy \quad (16)$$

Thus output current is multiplication of current I_x and I_y with multiplication gain factor determined by the transconductance parameter and the supply dependent parameter [4].

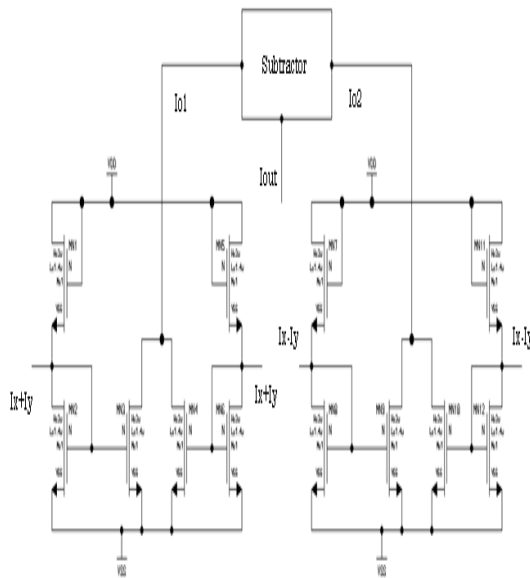


Figure 5: Four quadrant current multiplier

3. RESULTS AND DISCUSSION

The low voltage CMOS analog multiplier, current-mode multiplier/divider, high frequency four quadrant current multiplier have been simulated in SPICE with 0.35 μ m, 0.5 μ m and 0.5 μ m technology with supply voltage of 3.3V, 1.5V and 1.55V respectively. Table 1. shows the result of power dissipation, biasing current and current range of these multipliers. Table1. shows that power dissipation of low voltage CMOS current mode multiplier is less as compared to other circuit. Fig.6. shows that d.c. transfer characteristics of analog multiplier are linear with 10 μ A input range and input voltage is 3.5V. Fig.7. shows that d.c. transfer characteristics of current-mode multiplier/divider also linear with 10 μ A input range and input voltage is 1.5V. Fig.8. shows that d.c. transfer characteristics of high frequency four quadrant current multiplier is linear with 30 μ A input range and input voltage is 1.55V.

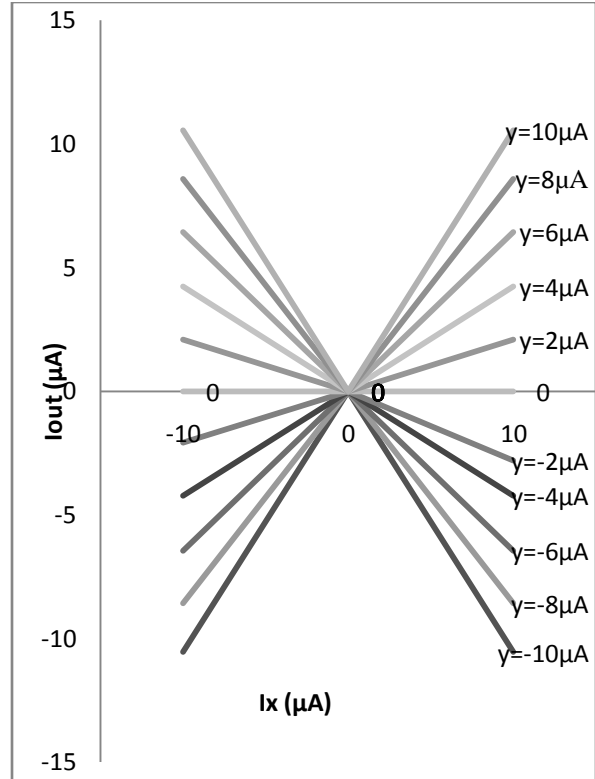


Figure 6: DC transfer characteristic of low voltage CMOS analog multiplier

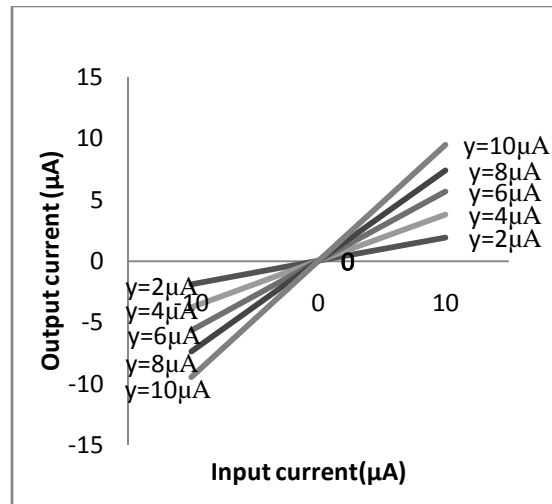


Figure 7: DC transfer characteristic of low voltage current mode analog multiplier/divider

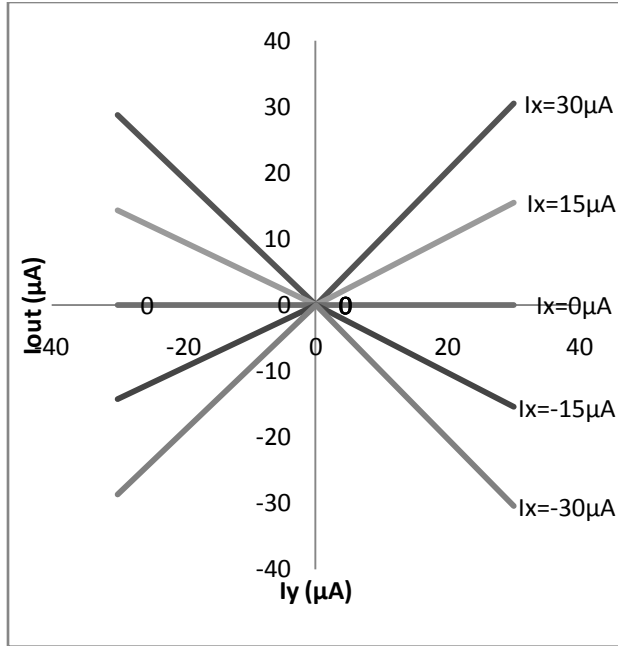


Figure 8: DC transfer characteristic of high frequency four quadrant current multiplier

Table 1: Comparison between multipliers

	Power Supply (V)	Bias Current (μA)	Power Consumption (μW)	Technology (μm)	Input Range (μA)
[6]	3.3	10	462.73	0.35	10
[7]	1.5	10	62.29	0.5	10
[4]	1.55	-	303.82	0.5	30

4. CONCLUSION

The low voltage CMOS analog multiplier, current-mode multiplier/divider, high frequency four quadrant current multiplier has been studied and simulated in SPICE with 0.35μm, 0.5μm technology with supply voltage 3.3V, 1.5V and 1.55V. The d.c. transfer characteristics of analog multiplier are linear with 10μA input range and input. The d.c. transfer characteristics of current-mode multiplier/divider also linear with 10μA input range. The d.c. transfer characteristic of high frequency four quadrant current multiplier is linear with 30μA input range. It has been observed from the result that high frequency four quadrant current multiplier operates with higher input range and less input voltage as compared to the other circuits and from table it has been observed that power dissipation of current mode-multiplier/divider is less as compared to other circuits.

5. REFERENCES

- [1] Zhenhua Wang, "A Four-Transistor Four-Quadrant Analog Multiplier Using MOS Transistors Operating in the Saturation Region," IEEE Trans. Instrum. Meas., vol. 42, no. 1, pp. 75-77, Feb. 1993.
- [2] Navin Saxena and James J. Clark "A Four-Quadrant CMOS Analog Multiplier for Analog Neural Networks," IEEE Journal of Solid State Circuit, vol.29, no. 6, pp. 746-749, June 1994.
- [3] S.-I.Liu and C.-C.Chang, "Low-voltage CMOS four-quadrant multiplier based on square-difference identity," IEEE Proc.-Circuits Devices Syst., vol. 143, no. 3, pp. 174-176, June 1996.
- [4] Teerawat Arthansiri, Varakorn Kasemsuwan and Hyung Keun Ahn "A +1.5 V High Frequency Four Quadrant Current Multiplier based on the Square-law Characteristic of MOS Transistor," IEEE circuits and systems , ISCAS 2005,International symposium, pp. 1016-1019, 2005.
- [5] Pipat Prommee Montri Somdunayakanok Montree Kumngern and Kobchai Dejhan "Single Low-Supply Current-mode CMOS Analog Multiplier Circuit" IEEE communication and information technology, iscit '06, international symposium, pp. 1101-1104, 2006.
- [6] A.Naderi, H. Mojarrad, H. Ghasemzadeh, A. Khoei and Kh. Hadiddi "Four-Quadrant CMOS Analog Multiplier Based on New Current Squarer Circuit with High-Speed," IEEE EUROCON, pp.282-286, 2009.
- [7] A.J. Lopez-Martin, Carlos A.C. Blas, J.R. Angulo and R.G. Carvajal "Compact Low-Voltage CMOS Current-Mode Multiplier/Divider," IEEE circuits and system (iscas), proc. of international symposium, pp.1583-1586, 2010.