

# Design of Neural Estimator for Non-Linear Interacting Process

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## ABSTRACT

Real processes often exhibit non-linear behavior; time variance and delay between input and output, having a vast amount of highly correlated data and this correlation need to be utilized in the design of estimator. In this work, an interacting non-linear (conical tank) is taken for study and a neural estimator is designed using Data driven approach. The neural network is developed in hardware on a customized Linux kernel and implemented using python language. The second order training algorithm is modified using a batch update strategy and this approach along with the hardware implementation reduces the estimator training period and makes it highly suited to online.

**Keywords:** Non linear process, Non-Interacting system, neural estimator, Back Propagation scheme, Hardware implementation.

## 1. INTRODUCTION

In estimator design, the establishment of a system model is primary and in many cases it is very difficult to obtain the order of stochastic models parsimony Models, especially if the process is highly complex. Even when models are available it is sometimes difficult to propagate the uncertainty through the system dynamics. An alternative framework is to use fuzzy estimator with systems using heuristic knowledge to capture uncertain behavior to build solutions. In this work, an estimator based on fuzzy theory and capable of dealing with random disturbances and “uncertainty” is proposed. Control of conical tank is a challenging problem due to its dynamic cross section. The primary task of a controller is to maintain a process at the desired operating conditions and also to achieve optimum performance in the presence of disturbances. Liquid level control system is an important nonlinear control problem (e.g., the control of level in a conical tank is difficult; as the level decreases). And involves process variable (level), manipulated variable (inflow rate), and load variable outflow rate.

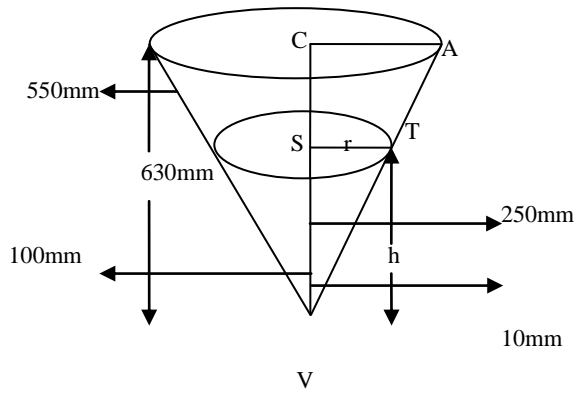
## 2. LITERATURE SURVEY

The paper represents the application of the partial decoupling control for the nonlinear MIMO hydraulic plant composed of two tanks connected with each other [1]. It designs of the mathematical modeling of tanks conical interacting system process and open loop response of the process obtained. It is not linear- model- based strategy and the control input constraints are directly included in the synthesis [2].A structure of Wiener based nonlinear controller is developed using LabVIEW and implemented in real time. The piecewise response of the system is studied and the gain and time constants for the different regions [3]. A salient feature of the proposed NMPC schemes is that the future trajectory predictions are

based on stochastic simulations, which explicitly account for the uncertainty in predictions arising from the uncertainties in the initial state and the unmeasured disturbances [4].The paper proposed a controller design approach that integrates RTO and MPC for the control of constrained uncertain nonlinear systems. The linearization technique was used to obtain a constant linearization family that is independent of the set point value [5]. In this paper, the static and dynamic robust parametric properties for controlling the liquid level in a single tank was considered as an example of time-varying pseudo linearization of a class of nonlinear systems by input and output (I/O) injection. **MITE** time-varying linearization up to I/O injection using an injecting or segment function with the single parameter  $m$  by a vector description based on the integrator is demonstrated [6]. Several processes are nonlinear and operate under input constraints. They addressed the control of single-input single-output nonlinear systems with input constraints in the presence of modeling errors [7].A nonlinear internal model control based on input output linearization was designed and an internal model control with ant windup which removed the nonlinear mismatch due to input constraints was given [9]. A new model structure selection method was proposed for neural network modelling of non-linear systems. The model structure considered was the NARX model [10]. Proposed a new control scheme of decoupling based decentralized robust control for a typical two-input two-output system in tandem cold rolling process. A dynamic coupled model of shape and gauge system was developed. Then they proposed new control scheme for combined system [11].In this paper, a systematic approach to design a non-linear observer to estimate the state vector of a non-linear dynamic system has been presented. The paper represents the method to estimate the state variables, concentration and temperature in the CSTR process [12]. Developed a new intelligent scheme using type-2 fuzzy inference system in neural network structure, with nonlinear system identification and neuro-fuzzy adaptive filter for nonlinear channel equalization [13]

## 3. TANKS PROCESS DESCRIPTION

Conical are widely used in industries for feeding material into the process as viscous liquid or slurries cannot flow through cylindrical tank. However, the transfer function is non-linear and has to be linearized through typical techniques. In this work, the conical tank (Fig. 1) volume is calculated and the level is measured using Level Transmitter (LT). The volume of liquid in the tank at time  $t$  is  $V = 1/3 \pi r^2 h$  cubic feet.



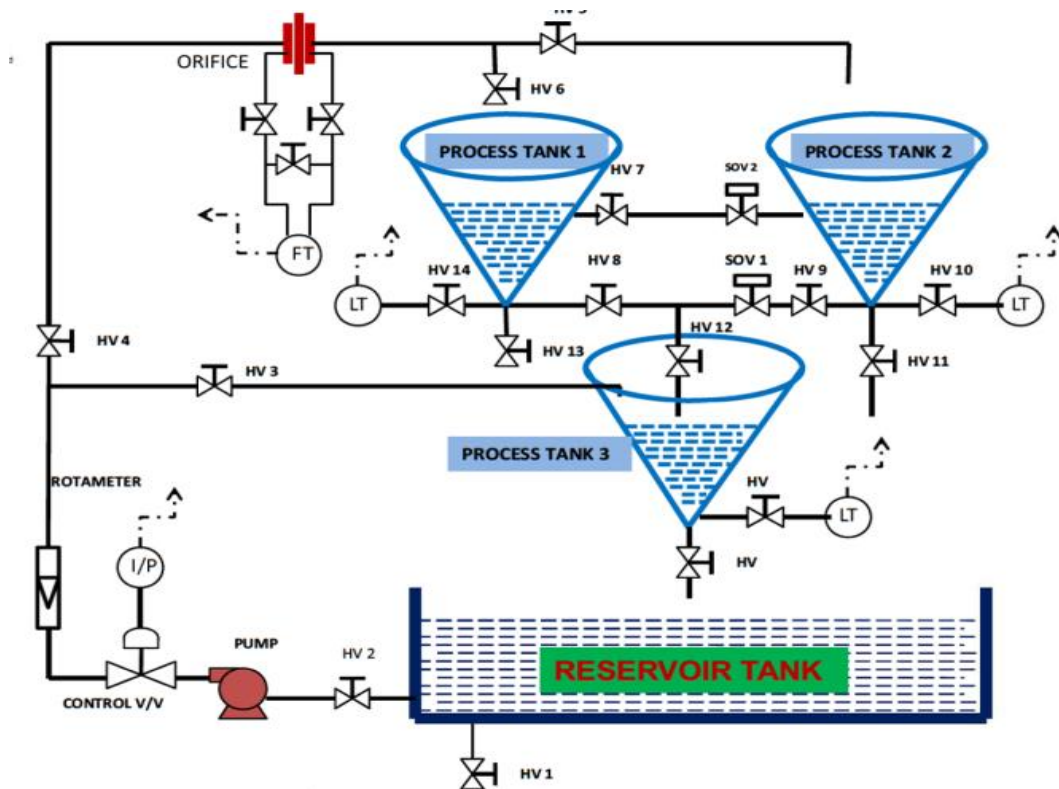
**Fig 1: Conical Tank used for study**

Note:  $r$ - radius of the tank,  $h$ - Height of the tank  
 The study set up includes non-interacting as well as interacting depending on the valve position. Non-Interacting systems are those systems in which the movement of the final control element of one loop does not affect the process variable of another loop. The non-

interacting system is formed by pair of Tank-1 and Tank-3. (Tank-2 inlet closed). The valve settings for interacting & non interacting process are described in Table 1.

**Table 1. Valve settings for interacting & non interacting process**

	Interacting Process	Non- Interacting Process
<b>Hand Valve Setting</b>	MV1, MV4, MV5, MV7, MV9, MV10, MV6 and SV1 should be in open condition. MV2, MV11 in partially open condition and other hand valves and solenoid valves in closed condition.	MV1, MV4, MV5, MV7, MV9, MV14 and MV13 should be in open condition. MV2, MV15 partially open and other hand valves and solenoid valves in closed condition.



**Fig 2: Process and Instrumentation Diagram**

## 4. NEURAL NETWORK

Neural network involves a large number of processing elements (neurons) working together to solve a specific task. It allows for highly parallel information processing. Neural network is initially fed with large amount of data, which can be used to extract information from complex networks which are not easily noticeable by human or any computer technique.

### 4.1 NN Training with Back Propagation

The back propagation algorithm is used in layered feed-forward NN to find a local minimum of the error. The algorithm begins training with randomly chosen weights and the goal is to minimize the error by adjusting the chosen weights. The Neural Networks uses the most popular training algorithm such as (i) Enhanced back propagation (EBP) algorithm and (ii) Multi-Layer Perceptron (MLP) network [14]. The constraints to be considered in the NN design are,

- (i) Larger size
- (ii) Poor generalization ability

#### 4.1.1 Design of Estimator

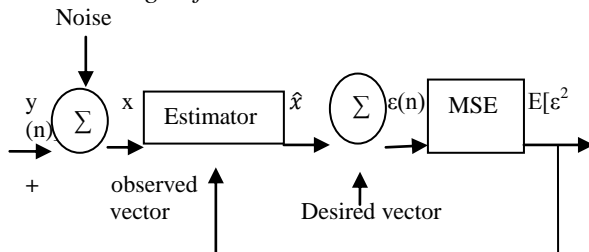


Fig3: Design of estimator

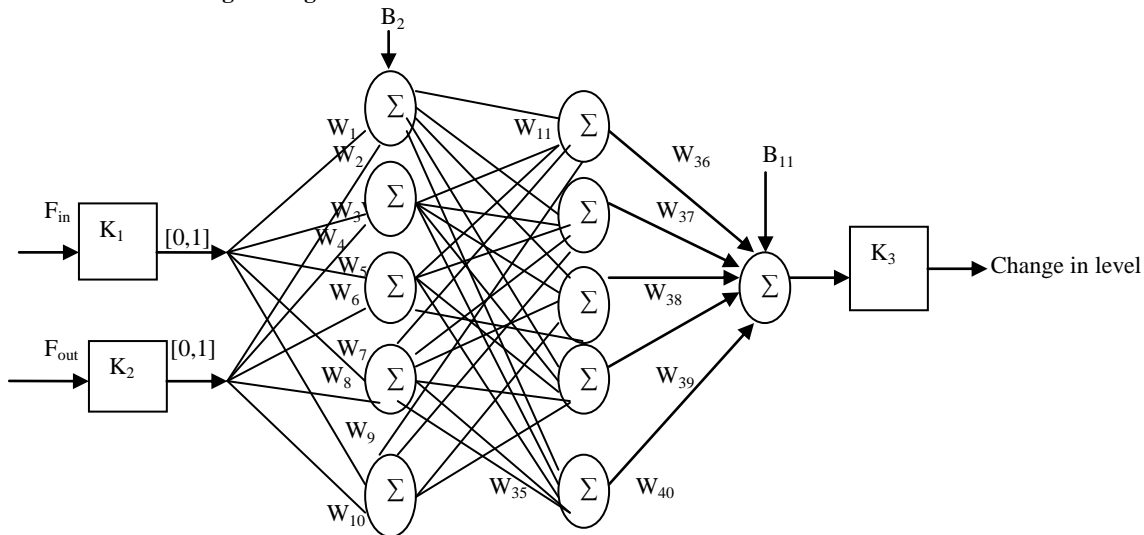


Fig 4: BPN based NN specifications

#### 4.1.3 Problems in Second Order Training

##### Algorithms (Memory Limitation)

Conventional second order training algorithms are such that, the update formula has the form given in Equation (1),

$$(J^T J + \mu I)^{-1} \dots (1)$$

Step 1: Set error vector  $\epsilon(n)$

Step 2: Minimize using step 1 and find out weights of the estimator network (done using back propagation algorithm in neural network)

$$E[\epsilon(n) x] = 0$$

Example: If two data vectors  $x(n)$  and  $x(n-1)$  are observed then  $E[\epsilon(n) x(n)] = 0$

$$E[\epsilon(n) x(n-1)] = 0$$

The minimum *mean-square error* estimation involves conditional expectation which is difficult to obtain numerically. Hence, in this work, the estimation of a parameter tries to optimize some functions of the observed samples with respect to the unknown parameter to be estimated.

The prediction problem addresses the issues of optimal prediction of the future value of the signal on the basis of present and past observations.

#### 4.1.2 Training Data for Neural Network

Input- output data were obtained from the plant and were subsequently used in training the network. Training with back propagation is an iterative process. Back propagation training algorithm is a supervised learning algorithm for multilayer feed forward neural network [17]. The information as to how the mapping was shaped in all regions should be implicitly presented as much as possible in the training data set. The BPN based NN with the inputs  $F_{IN}$   $F_{OUT}$  and the output  $\Delta h$  is shown in Figure 4 where  $K_1$ ,  $K_2$  &  $K_3$  are scaling factors chosen suitably to prevent NN saturation.

Thus, the size of matrix is proportional to the size of networks and as the size of networks increases, second order algorithms may not be as efficient as the first order algorithms. Practically, the number of training patterns is huge and is encouraged to be as large as possible. In conventional algorithm, the computational duplication exists, i.e.,

- (i) Forward computation (calculate errors), and

(ii) Backward computation: error back-propagation

There exists an architectural limitation and also neuron by neuron computation. In second order algorithms, the error back-propagation process has to be repeated for each output. Hence, this is very complex and insufficient for networks with multiple inputs and outputs.

This algorithm works in either of the 2 modes: Incremental mode or batch mode. Usually batch mode is followed due to less time consumption and less no. of propagative iterations. This algorithm is simple to use and well suited to provide a solution to all the complex patterns. Moreover, the implementation of this algorithm is faster and efficient depending upon the amount of input-output data available in the layers. The code flow is given below:

1. Define input – output patterns for training in code
2. Create a network with N input, M hidden, and K output nodes using NN (N, M, K).
3. In class NN,
  - i. Function `__init__ ()` does the following operations,
    - It sets the number of input , hidden and output nodes
    - It activates the nodes.
    - It creates the weights for input and output nodes using make Matrix (), means number of input and output signals.
    - It sets the input nodes for random values between (-0.2, 0.2) and output nodes for (0.2,-0.2).
    - Finally it change the weights for input and output nodes using make Matrix () for momentum.
  - ii. Function `train ()` does the following operations
    - This train the code with some pattern, during training with some sample input values, depending on that value it will learn and train itself to get the desired output.
  - iii. Function `update ()` does the following operations,
    - Checks whether the input node is equal to length of inputs, if not then raise the error.
    - It activates the input, hidden and output nodes.
  - iv. Function `back propagate()` does the following operations ,
    - Check whether the output node is equal to length of target; if not then raise the error.
    - It calculates the error in terms of input and output nodes.
    - It updates the output and input weights.
    - This is the function where error correction is done.
  - v. Function `test ()` does the following operations,
    - Once the code is trained it is required to check whether it has learnt or not, so test is done.
    - Tests the code with some pattern.
    - During testing enter the output samples to compare the computed output with the samples
    - If the computed output does not match the desired output, the difference in the result is back-propagated to the input layer so that the connection weights of the perceptrons are adjusted in order to reduce the error.

- The process is continued until the error is reduced to a negligible amount.

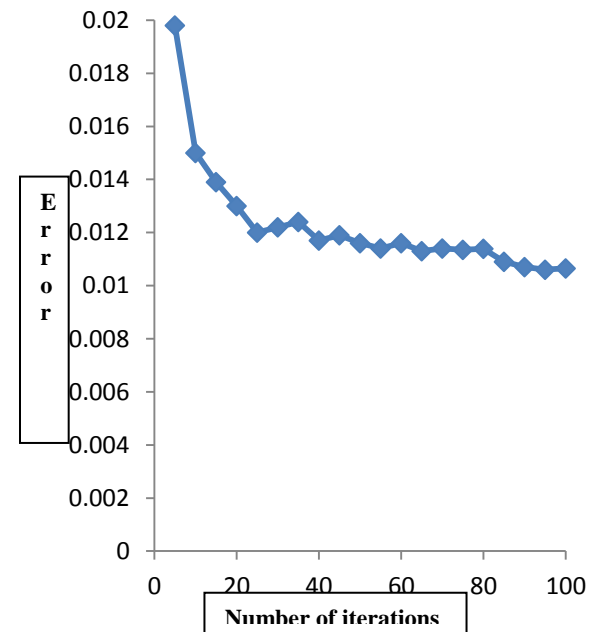
## 4.2 Trained Network Results

Hardware implementation of improved 2<sup>nd</sup> order computation NN (i.e. proposed BPN trained NN) is implemented in FL2440 Hardware board on Linux kernel using python language is shown in Figure 5. The error plot of conventional and proposed training algorithm is shown in Figure 6.



**Fig 5: Hardware Implementation process with Hyper terminal**

### Case (i) Conventional NN without batch weight update (slow convergence)



**Fig 6: Conventional NN error plot**

### Case (ii) Proposed NN with batch weight update (advantageous)

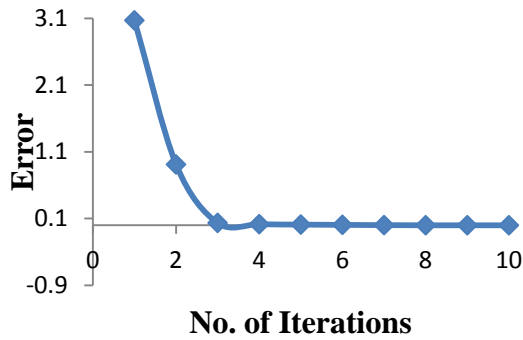


Fig 7: Hardware O/P during Training, Test output of Trained NN and error plot for NN (3, 2, 2) (Separable Patterns used for training with multiple O/P)

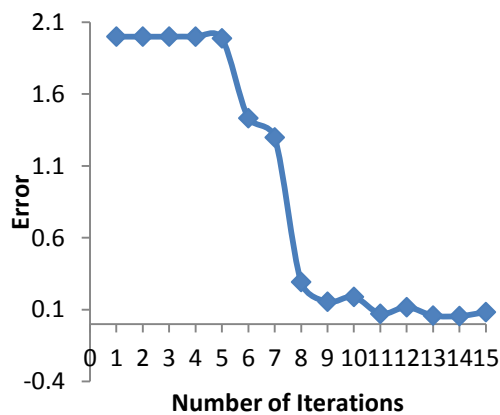


Fig 8: Hardware O/P during Training, Test output of Trained NN and error plot for NN (3, 12, 1) (Inseparable patterns used for training)

## 5. RESULTS AND DISCUSSION

These results are proven in python language which is experimented in Linux operating system with FL2440 hardware board is updating error during training and tested the trained inputs and given trained neural network output are shown in Figure 9.

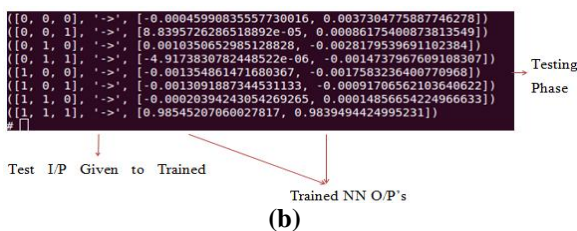
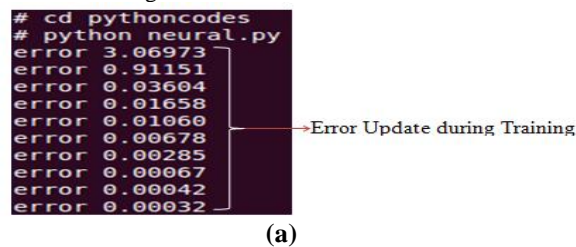


Fig 9: (a) Error variations during trained (b) Trained NN output

## 5.1 Performance Metrics

The Performance metric results for eliminating level sensor noise (during servo tracking and load variations) are shown in Appendix-I. The normalized MSE values for the estimated level are also shown in Figure 10 and Figure 11 respectively.

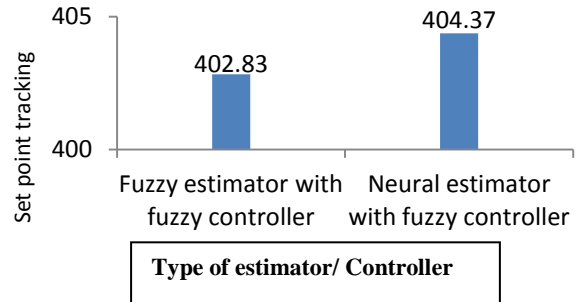


Fig 10: Normalized MSE

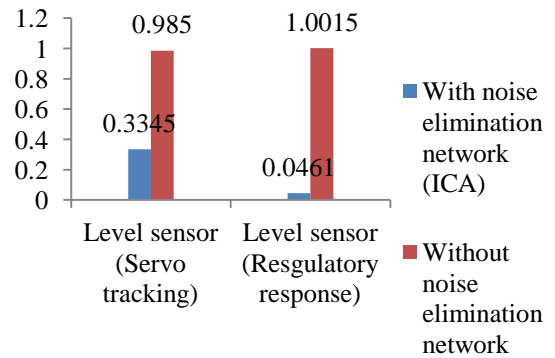


Fig 11: Normalized MSE values for the estimated level

## 6. CONCLUSION

In this paper, neural estimator was designed for a non-linear interacting process. For designing the process, data driven approach was presented. The benefit in fault detection is the ability to directly model a family of fault free system response from the input- output data. The batch update strategy was used to modify the second order training algorithm. Thus, the training period required for the estimator was reduced using the hardware implemented which makes it highly suited for online. The results that were obtained suggest that the designed neural estimator for the non-linear interacting process is effective and further direction of research shall focus on complete hardware implementation integrating the estimator and controller.

## 7. REFERENCES

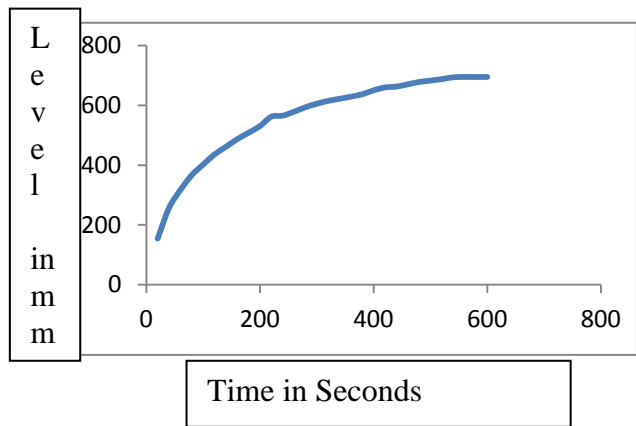
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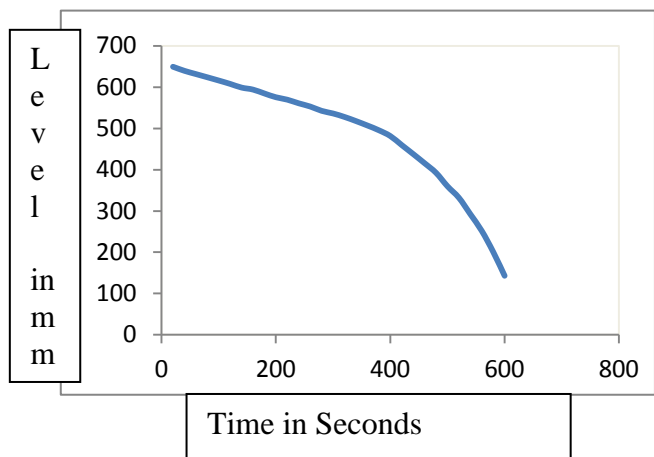
### Appendix-I Training Data for Neural Network Estimator

Description	Eliminating level sensor noise (in Figures)
<p>(a) <math>F_{in} = 50\%</math>   <math>F_{out} = 30\%</math>  <math>F_{in} - F_{out} = 20\%</math>, (h + ve)</p>	

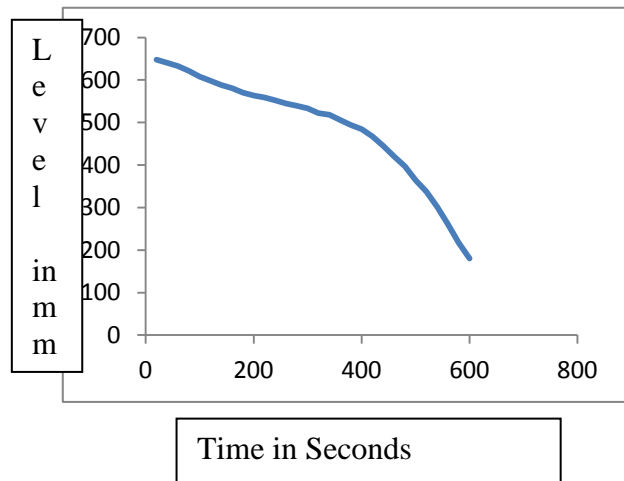
**(b)**  $F_{in} = 60\%$ ,  $F_{out} = 30\%$ ,  
 $F_{in} - F_{out} = 30\%$  (h+ve)



**(c)**  $F_{in} = 60\%$ ,  $F_{out} = 80\%$ ,  
 $F_{in} - F_{out} = -20\%$  (h-ve)



**(d)**  $F_{in} = 60\%$ ,  $F_{out} = 75\%$ ,  
 $F_{in} - F_{out} = -15\%$  (h-ve)



**(e)**  $F_{in} = 60\%$ ,  $F_{out} = 65\%$ ,

Fin-Fout= -5% (h-ve)

