

An Optimized Real Time Image Codec for Image Data Transmission and Storage

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ABSTRACT

The need for an efficient technique for compression of Images is ever increasing because the raw images require large amount of disk space and large amount of time for images to be sent over the internet or downloaded from the web pages which seems to be very big disadvantage during transmission & storage. In this paper, we propose a simple image compression scheme to obtain better reconstructed image on decompression. The scheme is mainly based on DCT (Discrete Cosine Transform), which is one of the well known lossy image compression techniques. Our approach does not involve any encoding or decoding method like other conventional compression methods thereby decreasing the time complexity of overall process.. The proposed scheme is simple, efficient and has low computational cost and high compression ratio and thus satisfying the current prime requirement of image data transmission and storage.

General Terms

Digital Image processing, Image Codec

Keywords

Color Image compression; grayscale image compression, Decompression of image, DCT, LBG, Vector Quantization.

INTRODUCTION

Due to the increasing demand on data transfer and storage image compression has been an important research area for many years. With the advent of digital cameras, one of the most common uses has been the storage, manipulation, and transfer of digital images. The files that comprise these images, however, can be quite large and can quickly take up precious memory space on the computer's hard drive. A gray scale image that is 256 x 256 pixels have 65, 536 elements to store and a typical 640 x 480 color image have nearly a million! The size of these files can also make downloading from the internet a lengthy process. So, here comes the need of image compression which reduces the amount of data required for representing sampled digital images and therefore reducing the size and the cost for storage and transmission [1].

Image compression may be lossy or lossless. Lossless compression is preferred for archival purposes and often for medical imaging, technical drawings, clip art, or comics. This is because lossy compression methods, especially when used at low bit rates, introduce compression artifacts. Lossy methods are especially suitable for natural images such as photographs in applications where minor (sometimes imperceptible) loss of fidelity is acceptable to achieve a substantial reduction in bit rate.

In our proposed algorithm we have used DCT a lossy compression technique for image compression

1. DCT TECHNIQUE

The DCT is a technique for converting a signal into elementary frequency components. Like any Fourier-related transform, discrete cosine transforms (DCTs) express a function or a signal in terms of a sum of sinusoids with different frequencies and amplitudes. Like the discrete Fourier transform (DFT), a DCT operates on a function at a finite number of discrete data points. The obvious distinction between a DCT and a DFT is that the former uses only cosine functions, while the latter uses both cosines and sines (in the form of complex exponentials). However, this visible difference is merely a consequence of a deeper distinction: a DCT implies different boundary conditions than the DFT or other related transforms.[3]. DCT is calculated by using (1)

$$b_{pq} = c_p c_q \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} a_{mn} \cos \frac{\pi(2m+1)p}{2M} \cos \frac{\pi(2n+1)q}{2N} \quad (1)$$

Where $0 \leq p \leq M-1$ and $0 \leq q \leq N-1$

$$c_p = \begin{cases} 1/\sqrt{M}, & p = 0 \\ \sqrt{2/M}, & 1 \leq p \leq M-1 \end{cases} \quad (2)$$

The value b_{pq} are called the DCT coefficients of M by N

$$c_q = \begin{cases} 1/\sqrt{N}, & q = 0 \\ \sqrt{2/N}, & 1 \leq q \leq N-1 \end{cases} \quad (3)$$

matrix A.

2. IDCT TECHNIQUE

The DCT is an invertible transform, and its inverse (IDCT) is calculated using (4):

$$a_{mn} = \sum_{p=0}^{M-1} \sum_{q=0}^{N-1} c_p c_q b_{pq} \cos \frac{\pi(2m+1)p}{2M} \cos \frac{\pi(2n+1)q}{2N} \quad (4)$$

Where $0 \leq m \leq M - 1$
 $0 \leq n \leq N - 1$

$$C_p = \begin{cases} 1/\sqrt{M}, & p = 0 \\ \sqrt{2/M}, & 1 \leq p \leq M - 1 \end{cases} \quad (5)$$

$$C_q = \begin{cases} 1/\sqrt{N}, & q = 0 \\ \sqrt{2/N}, & 1 \leq q \leq N - 1 \end{cases} \quad (6)$$

The JPEG process is a widely used form of lossy image compression that centers around the DCT. The DCT works by separating images into parts of different frequencies. During a step called quantization, where part of compression actually occurs the less important (higher) frequencies are discarded, hence the use of the term 'lossy'

The conventional compression method involves:

- Applying DCT block wise from left to right and top to bottom.
- Quantize each block by dividing each elements of a matrix by the corresponding elements of a luminance matrix.
- Apply encoding process to the coefficients of quantized matrix converting it into a bit stream

The conventional decompression method involves:

- Apply decoding process to the bit stream and convert it back to the blocks of matrix
- Multiply each elements of a blocks by the luminance matrix you have selected
- Apply IDCT (Inverse Discrete Cosine Transform) to each block

3. PROPOSED APPROACH

The proposed approach develops an optimized image codec. On compression side it applies DCT (Discrete Cosine Transform) on image row wise only, using (1). Here we are not applying DCT directly on whole image and neither the block wise application of DCT is done. The IDCT (Inverse DCT) is applied only to the high frequency area of each row using (4). Rest of the samples is padded with zeros.

Normalizing and adjusting the intensity of the resultant matrix compresses the image size to a greater extent. Block diagram of the compression algorithm is shown in Figure 1.

On the decompression side the application of reverse process of above mentioned compression of image on compressed image results into decompressed image which is almost similar to the original image. The Decompression algorithm can be used on compressed image obtained in real time or it can be used on the stored compressed image. Both ways it can work as shown in Figure 10.

4. EXPERIMENTAL RESULTS

The proposed approach has been tested with the images of varied format and the result was satisfactory. For testing purpose we run compression algorithm on one computer and decompression algorithm on another computer. The quality of the compressed image obtained through our compression algorithm is sufficient to reconstruct the original image using our decompression method with slight loss in quality and size of the compressed image is acceptable to transmit through the low bandwidth network and sufficient for storage. The image size we have used here is of 1440x900 pixels. Figure 2, 3, 4 and 5 below shows the results of application of above compression and decompression method on the JPEG, BMP, PNG and TIF images. Table 1 below depicts the computational cost of proposed compression and decompression algorithm on JPEG, BMP, PNG and TIF images and Table 2 shows the original and compressed size of the JPEG, BMP, PNG and TIF image on application of our compression algorithm.

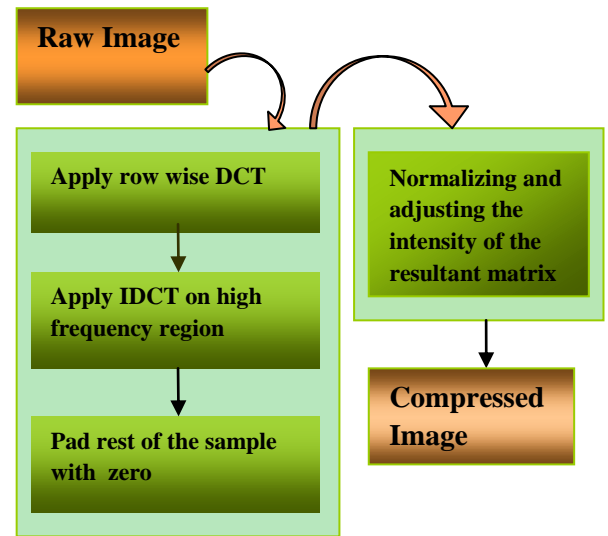


Fig 1: Block Diagram of proposed Approach



Fig 2: Compression and Decompression of images using JPEG format 1440x900 Resolution

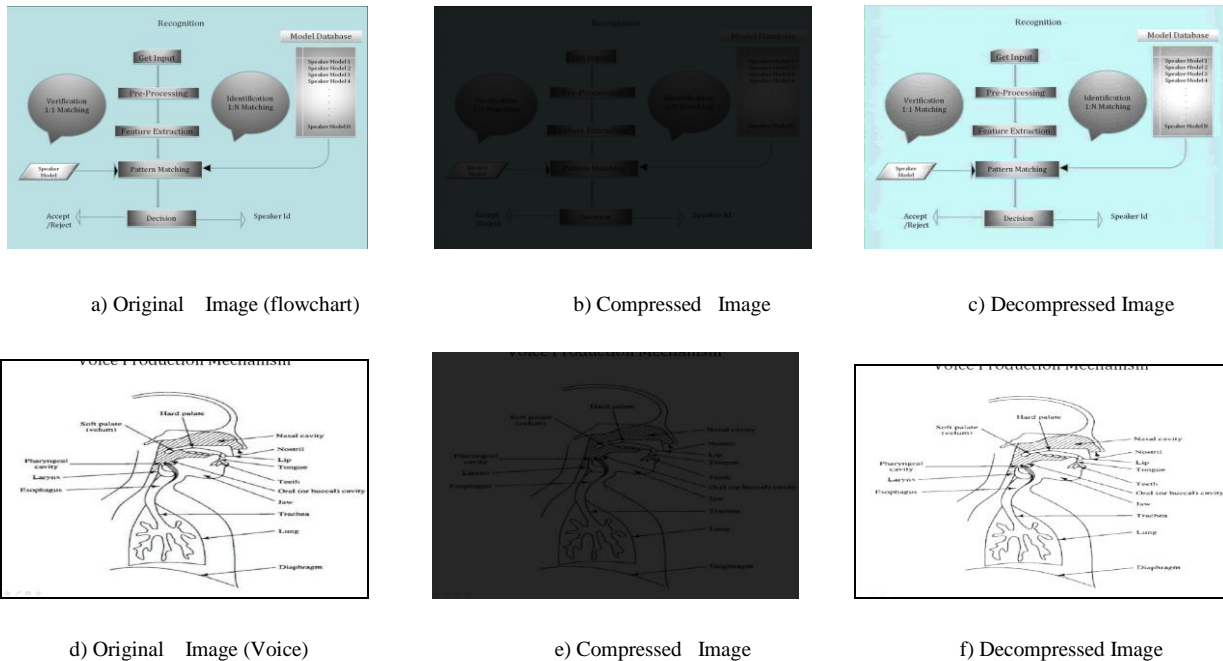
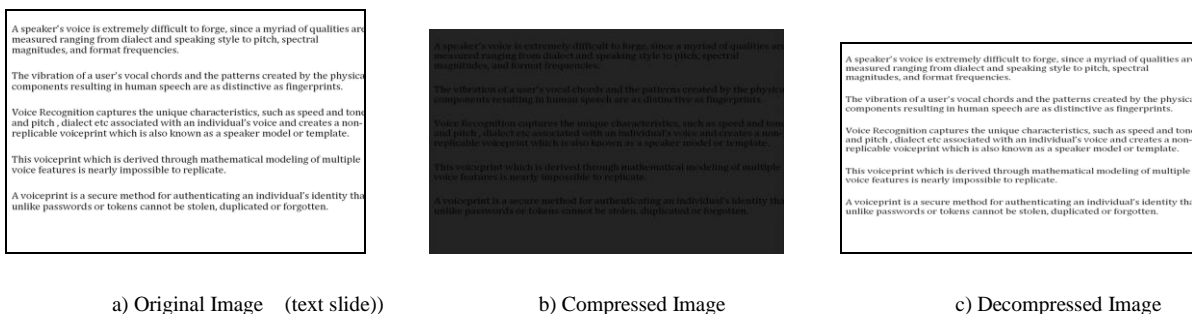


Fig 3: Compression and Decompression of images using BMP format 1440x900 Resolution





d) Original Image (sunrays)



e) Compressed Image

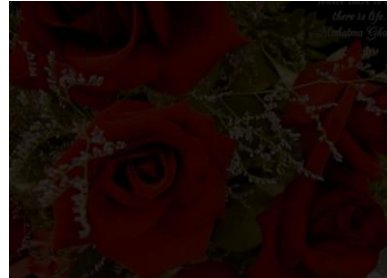


f) Decompressed Image

Fig 4: Compression and Decompression of images using PNG format 1440x900 Resolution



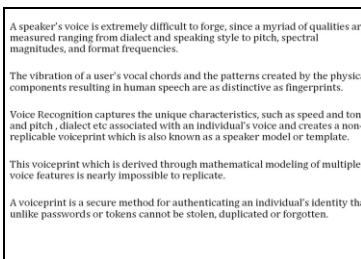
a) Original Image (flower)



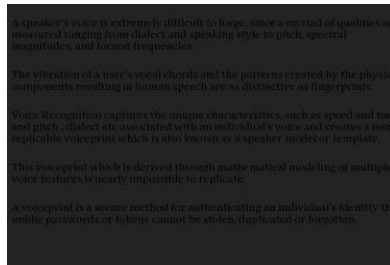
b) Compressed Image



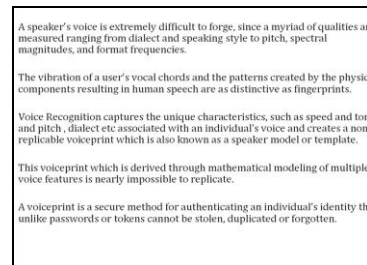
c) Decompressed Image



d) Original Image (text slide)



e) Compressed Image



f) Decompressed Image

Fig 5: Compression and Decompression of images using TIF format 1440x900 Resolution

Table 1. Showing average computational cost of the above images

Image Format Image Size 1440x990 res	JPEG		BMP		PNG		TIF	
	8.42	9.28	8.41	9.32	8.4	8.82	8.26	8.44
Compression (in Sec)								
Decompression (in Sec)	0.27	0.89	0.21	0.36	0.22	0.38	0.22	0.21

Table 2. Showing original image size and corresponding compressed image size

Image Format Image Size 1440x990 res	JPEG		BMP		PNG		TIF	
	115	90.3	3.70	3.70	449	794	3.71	3.71
Original Image	kb	kb	Mb	Mb	kb	kb	Mb	Mb
Compressed Image	42.1	40.8	34	42.3	57.1	31.6	49.2	64.5
	kb	kb	kb	kb	kb	kb	kb	kb

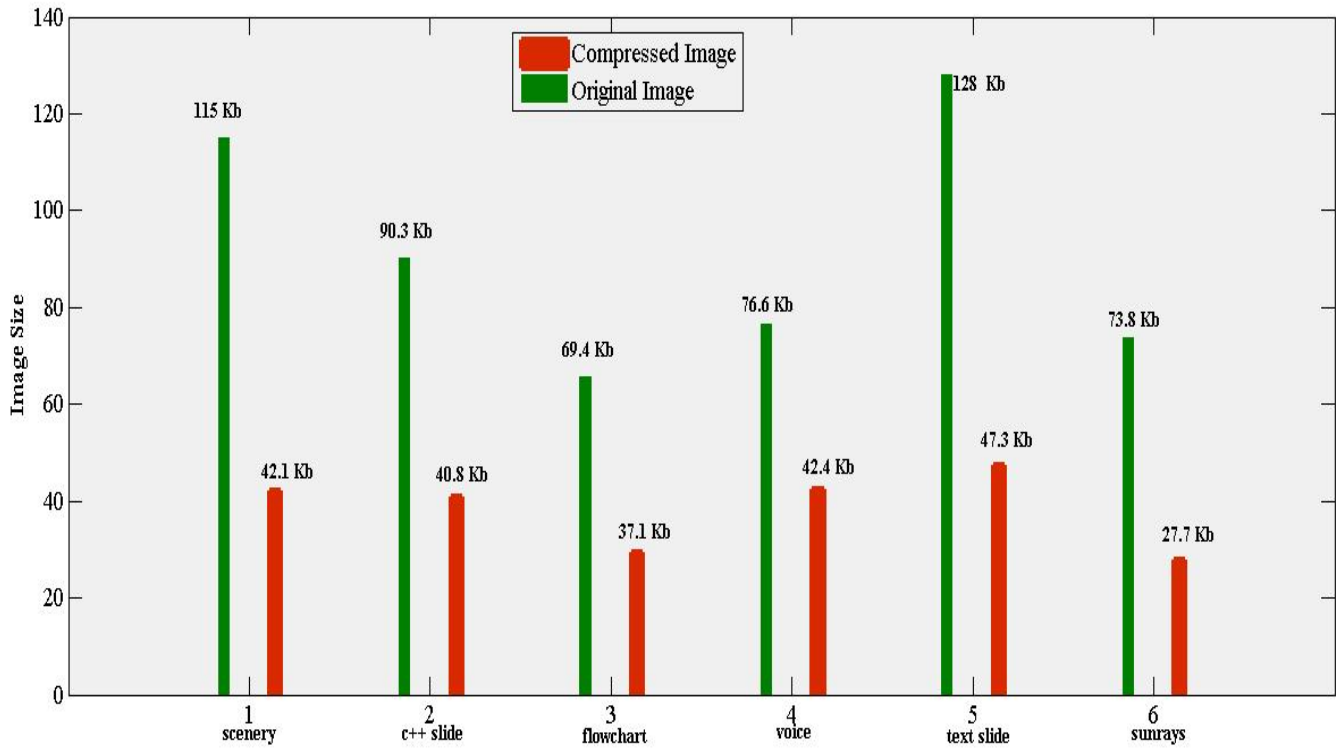


Fig 6: Original Images Vs Compressed Images for JPEG Format

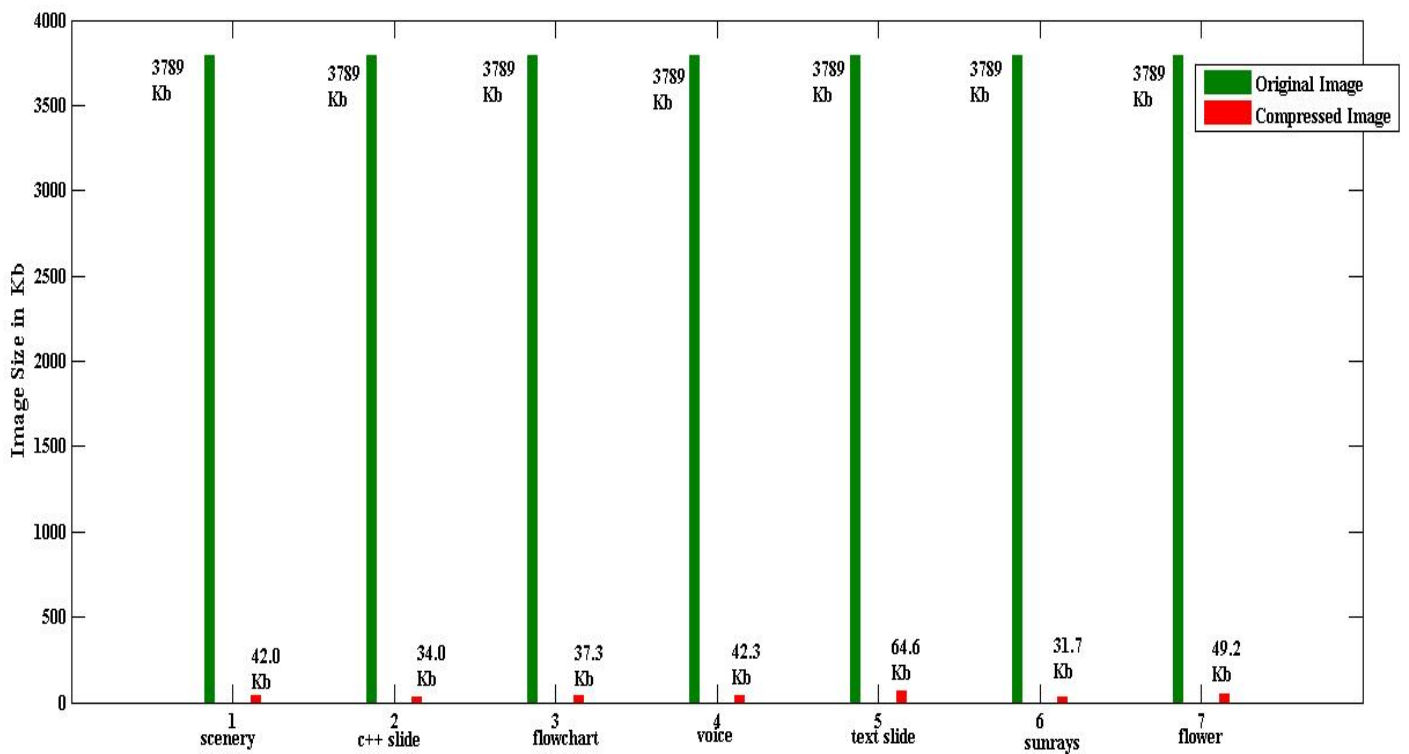


Fig 7: Original Images Vs Compressed Images for BMP Format

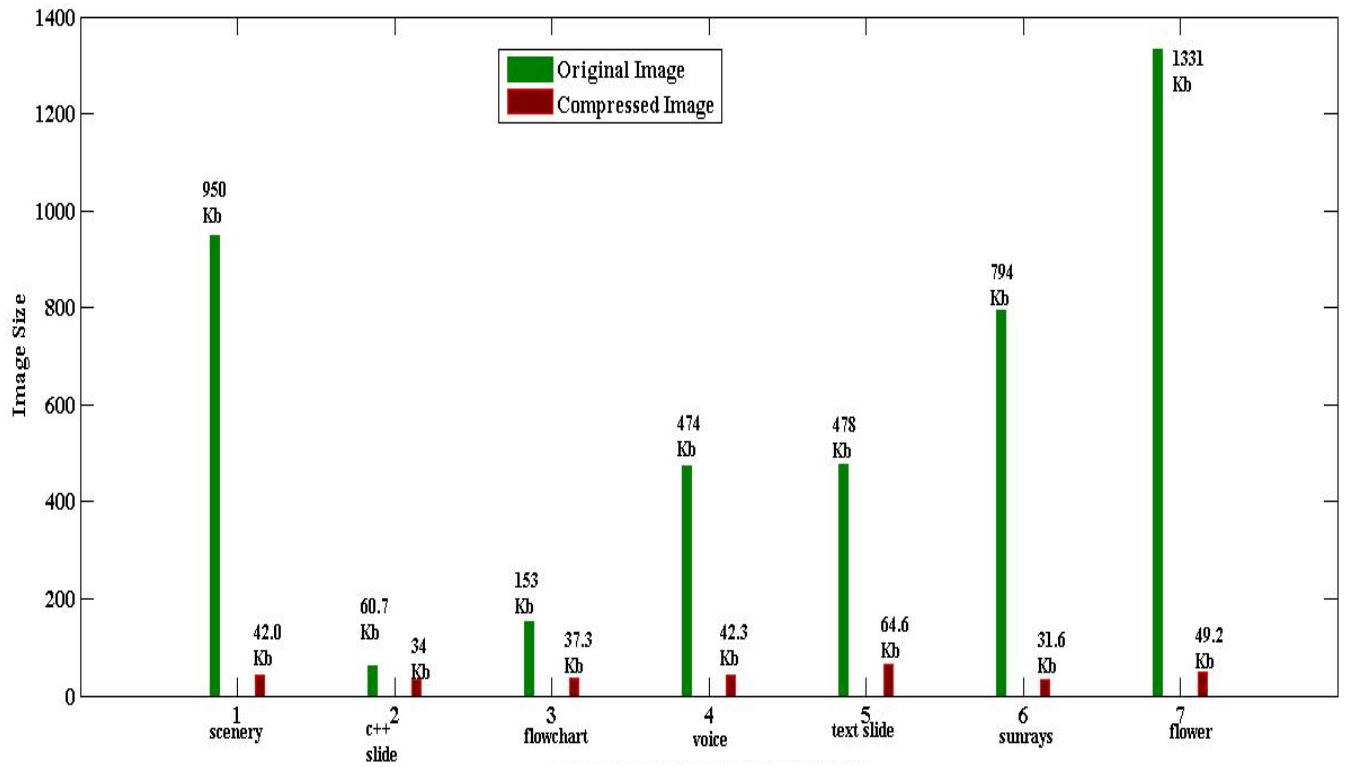


Fig 8: Original Images Vs Compressed Images for PNG Format

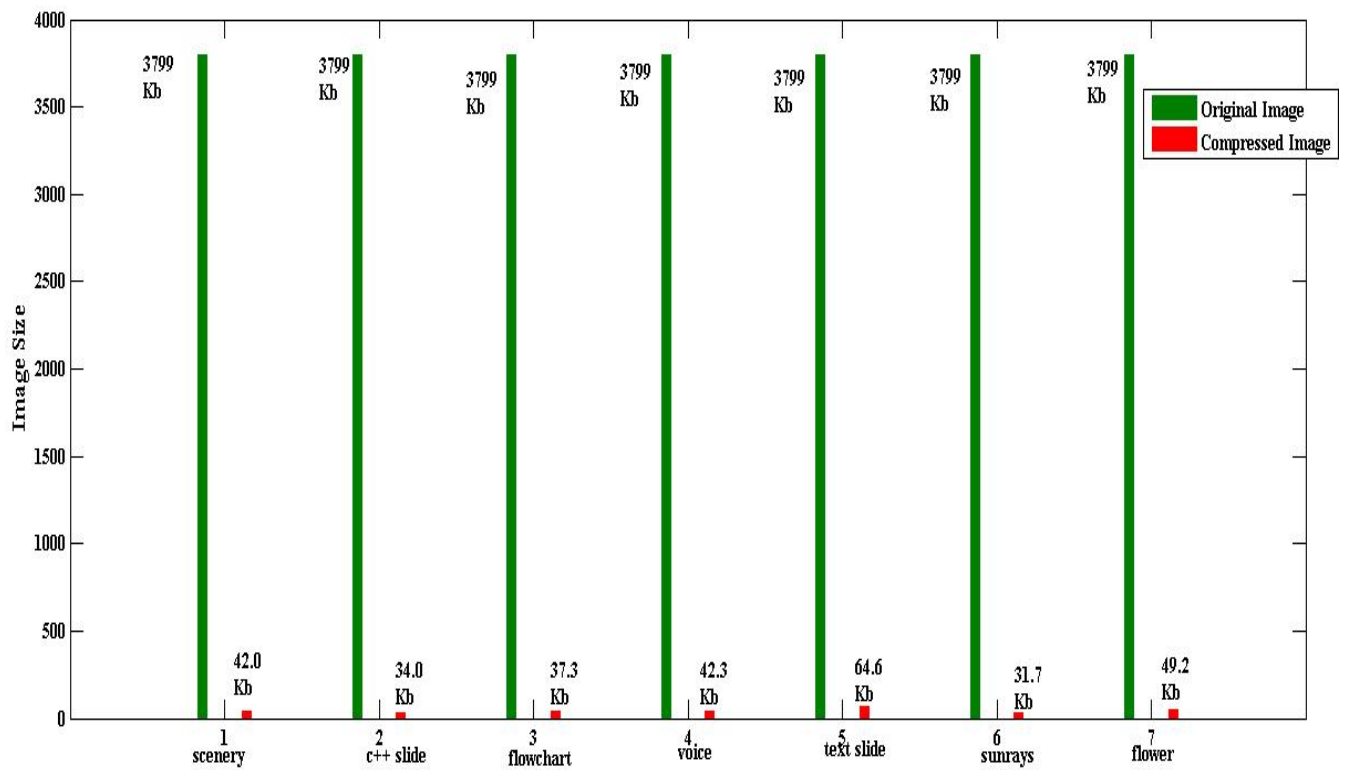


Fig 9: Original Images Vs Compressed Images for TIF Format

5. CONCLUSION

In this paper we have proposed a method for real time compression and decompression of images for transmission through low bandwidth .The PSNR value calculated for the above images is 29.5.The proposed method is able to compress the image data size to a remarkable extent .The reconstructed decompressed image quality is almost similar to the original image quality but is acceptable in terms of storage and transmission. We have tested this algorithm for jpeg, bmp, png and tif format images and result were satisfactory.

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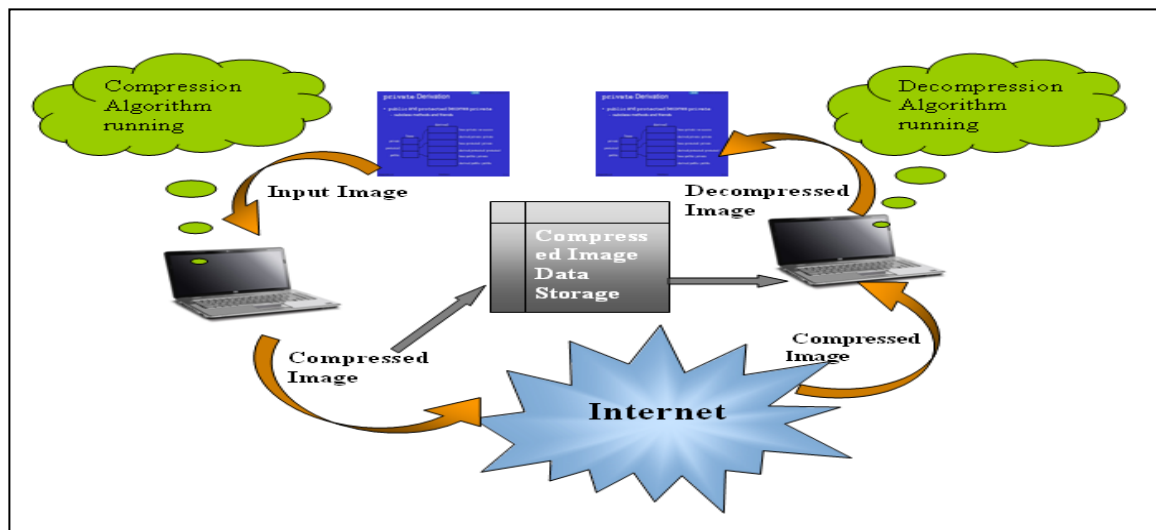


Fig 10: Workflow of our Proposed Real Time Image Codec System