# Symmetric key Cryptography using two-way updated -Generalized Vernam Cipher method: TTSJA algorithm

Trisha Chatterjee Department of Computer Science St. Xavier's College, Kolkata, India

Tamodeep Das Department of Computer Science St. Xavier's College, Kolkata, India Shayan Dey Department of Computer Science St. Xavier's College, Kolkata, India

Joyshree Nath A.K.Chaudhuri School of IT Raja Bazar Science College, Calcutta University Kolkata, India Asoke Nath Department of Computer Science St. Xavier's College, Kolkata, India

## ABSTRACT

In the present paper the authors have introduced a new updated two-way generalized vernam cipher method called TTSJA. Chatterjee et.al developed a method [1] where they used three independent methods such as MSA [2], NJJSAA [3] and modified generalized vernam cipher method. Nath et al already developed some symmetric key methods [2,3,4,5] where they have used bit manipulation method and some randomized key matrix for encryption and decryption purpose. In the present work the authors have used updated generalized vernam cipher method in two directions. One from first character to last character and then we perform vernam method with XOR operation from last to first We found the results are quite satisfactory even for short message and repeated characters also. The advantage of the present method is that the overhead is minimum but the encryption is very hard. This method may be applied to encrypt short message such as SMS, password, ATM code etc. In the present work the authors have introduced updated Vernam Cipher method. The authors modified the standard Vernam Cipher method for all characters (ASCII code 0-255) with randomized keypad and also introduced feedback. After first phase encryption the modified vernam cipher method applied from last character to the first using random keypad and feedback. In the second phase instead of adding the keypad ASCII the authors performed the XOR with keypad and the encrypted text (after first phase). This method closely monitored on different known plain text and it was found that this method is almost unbreakable. The present method allows the multiple encryption and multiple decryption. To initiate the encryption process a user has to enter a text-key which may be maximum of 16 characters long. From the text- key the randomization number and the encryption number is calculated using a method proposed by Nath et al [2]. A minor change in the text-key will change the randomization number and the encryption number quite a lot. The present method is a block cipher method and it can be applied to encrypt confidential data in Defense system, Banking sector, mobile network, Short message Service, Password, ATM key etc. The advantage of the present method is that one can apply this method on top of any other standard algorithm such as MSA, DJSA, NJJSAA, TTJSA, DJMNA etc [2,4,3,1,5]. The method is suitable to encrypt any type of file.

#### Keywords

MSA Algorithm, NJJSAA, TTJSA, DJMNA, Vernam Cipher method.

## **1. INTRODUCTION**

The data security and data encryption are two important terms in Computer network. Few years back it was not a serious issue but now it is the most important issue. It is a big challenge for a sender to send confidential data from one computer to another computer or from one computer to a remote computer through a server. Imagine a situation when the entire banking information is hacked and what will happen after few seconds. Probably the entire Banking Industry will collapse. It means the security of originality of data has now become a very important issue or challenge in data communication network. The confidential data cannot be sent from one computer to another computer in original form as the intruder can intercept the data and can do any kind of danger for sender or for the receiver. Sometimes we send bank transaction report, question paper, suggestions over the mail. The hackers can intercept those mails and can do any kind of damage. All these things are happening because of free network access. If someone applies some common sense can access any data from any machine. Imagine that the hacker somehow break secured key of e-banking and intercept all data. The data must be protected from any unwanted intruder otherwise any massive disaster may happen all on a sudden. The disaster may happen in any business house. This may be further worse if the confidential data of one business house is stolen by some intruder and pass it to some rival company then what will happen. That implies now in every places there must be some security of data. There must be various levels of security in data management. Because of this hacking problem network security and cryptography is an emerging research area where the people are trying to develop some good encryption algorithm so that no intruder can intercept the encrypted message. These cryptographic algorithms can be classified into two

(i) symmetric key cryptography where one categories: key is used for both encryption and decryption purpose. (ii) Asymmetric key cryptography: where two different keys are used one for encryption and the other for decryption purpose. The advantage of symmetric key cryptography is that the key management is very simple as one key is used for both encryption as well as for decryption purpose and this key must be secret and it should be known to sender and the receiver only and no one else. On the other hand in public key cryptography there are two keys one key is called public key which may be available to anyone who wants to encrypt the message and the other one which is called secret key or the private key that must be kept only with the receiver. Because of factorization problem from encryption key no one can construct the decryption key. The problem of Public key cryptosystem is that one has to do massive computation for encrypting any plain text. Due to massive computation the public key crypto system may not be suitable to encrypt short message, in sensor networks, mobile networks etc. In the present work we are proposing a symmetric key method called TTSJA which is a combination of 2 updated vernam cipher methods. In forward vernam cipher method we add the ASCII code of the plain text and the keypad and we take modulo with 256 and take the result as feed back in the next column. After finishing forward pass we apply slightly different way the vernam cipher method from last character of the encrypted text. Here instead of adding the ASCII code of the two characters we apply the XOR operation and the result we make modulo with 256 and take the same result as feedback to the next column. In the second pass we apply XOR operation instead of addition of ASCII codes. First we choose a block of 256 characters in a block. The last few characters which will be <256 we apply same method but now the size of key will be changed according to length of the residual characters. We have tested this method on various types of known text files and we found that the results were satisfactory. The present method may be applied in Defense network, mobile network, ATM network, Short message service etc.

## 2. TTSJA ALGORITHM

Now we will describe TTSJA algorithm:

#### A. ENCRYPTION ALGORITHM:

Step 1 : Start Step 2 : mat[][] is initialized (values from 0 to 255) in row major manner Step 3 : keygen() and randomization() function called Step 4 : times2=times Step 5 : file f1 is copied into outf2 Step 6 : k=1 Step 7 : if k>secure go to Step 12 Step 8 : p=k%2 Step 9 : if p==1 vernamenc(outf2,outf1); times=times2; file rev(outf1,file1); vernamencxor(file1,outf1); times=times2; Step 10 : if p==0 vernamencxor(outf2,outf1); times=times2; file\_rev(outf1,file1); vernamenc(file1,outf1); times=times2;

- Step 11 : k=k+1, Goto step 7
- Step 12 : file rev(outf1,outf2)
- Step 13 : The contents of file 'outf2' is copied into file file2'
- Step 14 : k=k+1 Goto Step 7
- Step 15 : Stop

#### vernamenc(f1,f2)

- Step 1 : Start
- : mat[][] is initialized (values from 0 to 255) in row Step 2 major manner
- Step 3 : randomization() function called
- : value of mat[][] after randomization is copied into Step 4 key[] (row major)
- : pass=1 , times3=1 , ch1=0 Step 5
- Step 6 : A block from the input file f1 is taken(<256 characters)
- : If block size < 256, goto Step 14 Step 7
- : Each character of the block is copied into a Step 8 character array str[]
- Step 9 : encryption() function called and str[] is passed as parameter along with the size of the block
- Step 10 : if(pass==1) times=(times+times3\*11)%64 pass++

else if(pass==2) times=(times+times3\*3)%64

pass++

else if(pass==3)

times=(times+times3\*7)%64

pass++ else if(pass==4)

- times=(times+times3\*13)%64
- pass++
- else if(pass==5)

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times=(times+times3*times3)%64
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pass++

- else if(pass==6)
  - times=(times+times3\*times3)%64 pass=1
- : randomization() called using current value of times Step 11
- Step 12 : value of mat[] copied into key[]
- : next block extracted, goto Step 7 Step 13
- : Each character of the last block (residual Step 14 characters, if any) is copied into str[]
- Step 15 : encryption() called using str[] and the no. of residual characters
- Step 16 : Return

#### encryption(str[],n)

- Step 1 : Start Step 2 : ch=(str[0]+key[0]+ch1)%256 : ch is wrote into output file : ch1=ch : i=1 : if i≥n, goto Step 11 : ch=(str[i]+key[i]+ch1)%256: ch is wrote into the output file Step 9 : ch1=ch
- Step 10 : i=i+1, goto Step 6

- Step 3 Step 4 Step 5 Step 6 Step 7 Step 8
- - Step 11 : Return

#### vernamencxor(f1,f2)

Step 17 : Start : mat[][] is initialized (values from 0 to 255) in row Step 18 major manner Step 19 : randomization() function called Step 20 : value of mat[][] after randomization is copied into key[] (row major) Step 21 : pass=1, times3=1, ch1=0 Step 22 : A block from the input file f1 is taken( $\leq 256$ characters) Step 23 : If block size < 256, goto Step 14 : Each character of the block is copied into a Step 24 character array str[] Step 25 : encryptionxor() function called and str[] is passed as parameter along with the size of the block : if(pass==1) Step 26 times=(times+times3\*11)%64 pass++ else if(pass==2) times=(times+times3\*3)%64 pass=pass+1 else if(pass==3) times=(times+times3\*7)%64 pass=pass+1 else if(pass==4) times=(times+times3\*13)%64 pass=pass+1 else if(pass==5) times=(times+times3\*times3)%64 pass=pass+1 else if(pass==6) times=(times+times3\*times3)%64 pass=1 Step 27 : randomization() called using current value of times Step 28 : value of mat[] copied into key[] Step 29 : next block extracted, goto Step 7 Step 30 : Each character of the last block (residual characters, if any) is copied into str[] : encryption() called using str[] and the no. of Step 31 residual characters : Return Step 32

# encryptionxor(str[],n)

- Step 12 : Start Step 13 : ch=str[0] XOR key[0] XOR ch1 Step 14 : ch is wrote into output file Step 15 : ch1=ch Step 16 : i=1
- Step 17 : if  $i \ge n$ , goto Step 11 Step 18 : ch=str[i] XOR key[i] XOR ch1 Step 19 : ch is wrote into the output file
- Step 20 : ch1=ch
- Step 21 : i=i+1, goto Step 6
- Step 22 : Return

# **B. DECRYPTION ALGORITHM:**

Step 1 : Start

- Step 2 : mat[][] is initialized (values from 0 to 255) in row major manner
- Step 3 : keygen() and randomization() function called
- Step 4 : times2=times
- Step 5 : file\_rev(f1,outf1)
- Step 6 : k=secure

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: if k<1 go to Step 12
Step 7
Step 8
         : file rev(outf1,outf2)
Step 9
         : p=k%2
Step 10 : if p==1
                   vernamdecxor(outf2,outf1);
                   times=times2;
                   file_rev(outf1,file1);
                   vernamdec(file1,outf1);
                   times=times2;
         else if p==0
                   vernamdec(outf2,outf1);
                   times=times2;
                   file_rev(outf1,file1);
                   vernamdecxor(file1,outf1);
                   times=times2;
Step 11
        : k=k-1 Goto Step 7
Step 12 : copy the contents of file 'outf1' into file 'file2'
Step 13 : Stop
```

#### vernamdec(f1,f2)

Same as vernamenc() function. The only difference is that decryption() function is called instead of encryption() function.

#### decryption(str[],n)

Step 1 : Start Step 2 : ch=(256+str[0]-key[0]-ch1)%256 Step 3 : ch is wrote into the output file Step 4 : i=1 Step 5 : if i≥n, goto Step 9 : ch=(256+str[i]-key[i]-str[i-1])%256 Step 6 : ch is wrote into the output file Step 7 Step 8 : i=i+1, goto Step 5 Step 9 : ch1 = str[n-1]Step 10 : Return

#### vernamdecxor(f1,f2)

Same as vernamencxor() function. The only difference is that decryptionxor() function is called instead of encryptionxor() function.

#### decryptionxor(str[],n)

- Step 11 : Start
- Step 12 : ch=str[0] XOR key[0] XOR ch1
- Step 13 : ch is wrote into the output file
- Step 14 : i=1
- Step 15 : if  $i \ge n$ , goto Step 9
- Step 16 : ch=str[i] XOR key[i] XOR str[i-1]
- Step 17 : ch is wrote into the output file
- Step 18 : i=i+1, goto Step 5
- Step 19 : ch1=str[n-1]
- Step 20 : Return

Now we will describe how we calculate randomization number(=times) and encryption number(=secure). The present method is fully dependent on the text-key which is any string of maximum length 16 characters long. From the text-key we calculate two important parameters (i) Randomization number and (ii) Encryption number. To calculate these two parameters we use the method developed by Nath et al (2). We are giving below how we calculate the above two parameters: Suppose key=AB Choose the following table for calculating the place value and the power of characters of the incoming key:

### TABLE I. LENGTH OF KEY() VS. BASE VALUE(B)

Length of key(n)	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
Base value (b)	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2

n

(i) Calculate Sum= $\Sigma$  ASCII Code \* b<sup>m</sup> ----(1) m=1

where n=number of characters in the input text-key.

Now we calculate the sum for key="AB" using equation (1). Here n=2, b=16

Sum=65\*161 + 66 \* 162 =17936

Now we will show how we calculate 2 parameters from this sum:

(i)Randomization number(n1):

 $\begin{array}{l} num1=1*1+7*2+9*3+3*4+6*5=84 \\ n1=sum \ mod \ num1=17936 \ mod \ 84=44 \\ Note: \ if \ n1=0 \ then \ n1=num1 \ and \ if \ n1>32 \ then \ n1=Mod(n1 \ , \ 32) \end{array}$ 

(ii)Encryption number(n2):

num2=6\*1+3\*2+9\*3+7\*4+1\*5=72

n2=sum mod num2 =17936 mod 72 =8 Note: if n2=0 then n2=num2 if n2>32 then n2=Mod(n2, 32)

The randomization of key matrix is done using the following function calls:

Step-1: call Function cycling() Step-2: call Function upshift() Step-3: call Function downshift() Step-4: call Function leftshift() Step-5: call Function rightshift()

For detail randomization methods we refer to the work done by Nath et al [2] and Chatterjee et. al [1]...

# 3. RESULTS AND DISCUSSIONS

We apply our encryption and decryption algorithm on various types of files and we found in every case it was working perfectly ok. In Table-2 the different type of files are given below:

## TABLE II. ENCRYPTION TEST CASES

ORIGINAL TEXT	ENCRYPTED TEXT
1. AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA	1. _@ÑÔ ‰šÝQ• š Œ_þ7ÿ`6\_Å9yãï>¹ lùÜáøg+,e¹_È…'ÅæÝÄæ''IjÈ;_ëåiOQ߆×Ú¤
2.BAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA	2. v[ÈaÔž¼Ø_O_3NH×
AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA	šÅQý• m}}
A's)	árÝS2^ß>‰±êÙ]iäOîte <sup>™</sup> \$_',0ÕhJ <sub>İ</sub> ½ <sup>™</sup> îrEŸ_Î_b
3.	3.
АААААААААААААААААААААААААААААААААА	÷r!èè,• RRd‹9J½Ú)sš6ØX´• ò"dQ&¹©∵ÙJ
AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA	í_jŠêe_I
B)	dC¾æMQzÄÒʻHÄFr• ʾ_NV
4.	4. $z\dot{U}_{\dot{Z}_{j}}$ $\dot{Z}_{j}$ $\dot{Z}_{j}$ $\dot{Z}_{j}$ $\dot{Z}_{\dot{Z}_{j}}$ $\dot{Z}_{\dot{Z}_{j}}$ $\dot{Z}_{\dot{Z}_{j}}$ $\dot{Z}_{\dot{Z}_{j}}$
111111111111111111111111111111111111111	$1*v^{1}$ YHO''1 <sup>13</sup> @'_Y§9xj^Y••zÉÛúõœÖÒðkT!åÇ_=#‰&^
111111111111111111111111111111111111111	$= \tilde{A}m^*, f\hat{a}$
1's)	
5.	5.

22222222222222222222222222222222222222	U ¬Šì§ " <sup>a</sup> s_ • JŸ©Bx 'k6OÁéU!_B°ÛÙ
	!Øk+Mcèf <i>f</i> 'œ_õx•÷,mWÿT{9A~!¹,Qmx«S€x_j • ŽÀ <sup>~</sup> ÄP×s¿_xå·F_(Ç»
6. 000000000000000000000000000000000000	6. Õ ž\_É_ª'Óš3h[>@¬¢y°Á] t¬_&7f'->- W? <sup></sup> ŎŎKq® • _•_ü {_·Ãa@_E ,Ý_°Šóþ> _°ĒÍ+I(þ,þB¿'Ň^šM/¦³₄Î+}Z
7.000	7. F• î
8.001	8. çce
9.010	9. ñsx
10.011	10. š
11.100	11. ò q
12.101	12. çbf
13.110	13. çbg
14.111	
15. St Xavier's college with the pioneering legacy was the first educational institute of the city to think in terms of introducing Computer Studies. St. Xavier's Computer Centre (SXCC), since its inception, on the 4th November 1985, has grown from strength to strength and at present is a renowned institution providing computer education to people from all walks of life.	<ul> <li>15.? 6 }Ý • Dzyâ ÔD }ÄœElÀ!ïi ¦Z• [ ,PÑ5YïQ Ë @ œSãù □ E•C□ þÃ&gt;□ (NÚ,n½□-;¢a'ËT¥'°I□ □ ÔD û5V • NöÁ'IÒ□ )»)°Á4Ù□ ©õn□ «€□ šS` □ óU&gt;° □ Ä´□ '''ù ÿ&gt;÷*éÔ`īŠ4ìØ□ □ 8]@‰½<sup>a</sup>· □» n;?□ µÜ{□ È,<d ž·ÙþZ□ €+Òo^W³wiþ¿»}Íf©¼f□  Ý!□ ¬□ □ ai!⊡÷fdi_ ¼'[,Ûåd□ Ý&lt;žDØÄ□ @S4Moê+&gt;Ý*□ ã□ ð®\?TÊ ?`.=^□ ʰyð=æJë&gt;f¢öû7d□ ê{+&gt;Ô□ @ø5m·UxĬ²`8²fì Í□ ÙÔz□ 'tÖÙ□ □ ^Z½, Âåk^&lt;□ _({4.&gt;z~ãÈ'' - ê8F!9Ö□ &gt;pÑ *1 • Ô□ \$<sup>11</sup>⁄4)Å□ œŸóÙ§žùµw''□ ÎâÅŽðài@IT</d </li> </ul>
St Xbvier's college with the pioneering legacy, was the first educational institute of the city to think in terms of introducing Computer Studies. St. Xavier's Computer Centre (SXCC), since its inception, on the 4th November 1985, has grown from strength to strength and at present is a renowned institution providing computer education to people from all walks of life. (The 5 <sup>th</sup> character of the previous paragraph is changed from 'a' to 'b')	<ul> <li>10</li> <li>I\$Y^SDÙ_[,qñÛô²O\fýÑ· o•´_ac&gt;½aú°_¬!- _ ÇŽ_• L_&gt;ɾ_Šš_Žÿ• 9n</li> <li>=뻾" ‡C,5Z_ú¬{œ_X*m_ò• Ã]}ŠÈc´`x6ôi,,Ò^_• ×ñ í; UNkÌ/;äj_•• sÄÀçë}Ë_!ëŽpsàÁãÉA¢LÎÒL_ _Ì^5` úNóÁ_@``_SÛª¬£V8·ÛŽà• åÀ¢ÅOb,Ibmýc_2wØ3_ [e• øÃ</li> <li>Æ_*•H\$° úÈŽ_vt</li> </ul>
	$ \begin{split} \tilde{A} &\div \tilde{o} U \notin [Fg!_{4}] & O \$ = \tilde{e} *_{\dot{c}}^{-2} z \hat{I}_{1}^{\pm} fi \emptyset \notin \tilde{a} f \hat{t} \hat{a}^{3} \langle N \rangle \tilde{U} \delta \tilde{U} v \tilde{U} \beta \beta \\ \beta^{\tilde{a}} ] A & O \delta' Y y \  \hat{a} @ \& _`' \tilde{w} \tilde{u} \wedge \tilde{E} - P T^{\tilde{u}} *_{A}, n \hat{I} \bullet  \acute{u} y \backslash \ll   < \tilde{U}_{O} \tilde{D}^{-} \tilde{O} \tilde{U} \\ & "K'' \mathcal{C} u \bullet_{i} \tilde{u} b''_{B} f < z k + ' \delta O f \tilde{I}_{A} & \$ e^{-} ; , s ? \hat{A} \beta_{A} \tilde{Z} \\ & \tilde{Z} \\ & \tilde{Z} \\ & \tilde{U} \bullet g \ddot{Y} \tilde{E} \hat{a} \ll V \bullet_{A} \\ \end{split} $

# 4. CONCLUSION

In the present work we use two different algorithms to make the encryption process too hard. From the results also it is very clear that our encryption method is very hard. We apply our method on some known text where the same character repeats number of times and we found that after encryption in the output pattern there is no repetition of pattern in the output string. We have tested this feature closely and we found in almost all cases we have got satisfactory result. This is possible as we have used modified vernam cipher method with feedback character. The key matrix of size 16x16. This key may be generated in 256! ways. The present method uses two distinct methods i.e. modified vernam cipher method and vernam cipher method using XOR operation. Our method is block cipher method. The overhead of the present method is very less and hence this method may be applied specially in encryption of bio-informatics data where the same pattern is repeated or to encrypt short message, password etc. There is lot of scope to modify the present method. The merit of this method is that it is almost impossible to break the encryption algorithm without knowing the exact key matrix. We propose that this encryption method can be applied for data encryption and decryption in banks, in defense, in government sectors for sending confidential data. The present algorithm may be used for database encryption also.

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